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- Introduction
- Quantum emulation
- Shuttling charged particles in 3D
- Comments on anomalous heating
- Conclusions



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• Introduction

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General idea: use the motion of ions in individual micro-traps to emulate interesting quantum physics



- Questions:
 - how does energy flow?
 - thermal equilibrium?
 - can we trap an excitation by minimal reconfiguration?





Dry friction:







A linear trap in an optical cavity: an ion string in a periodic potential

Optical trapping of ions: T. Schätz, Munich

Frenkel-Kontorova model

$$\mathcal{H} = \sum_{i=1}^{N} \left(\frac{P_i^2}{2} + \frac{\omega^2}{2} x_i^2 - K \cos x_i \right) + \sum_{i>j} \frac{1}{|x_i - x_j|}$$

Features:

- quantum phase transition
- non-analytic breaking of KAM surfaces



Experimental set-up





Cavity mirrors



Heat flow in ion strings





Melting of crystal



Global cooling beam

Focussed heating beam





Near term plans: basic thermodynamics with ion strings / crystals

- Heat flow
- Temperature distribution
- Heat capacitance
- Latent heat of crystal melting

Thaned (Hong) Pruttivarasin Michael Ramm Axel Kreuter



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A lattice trap







RF-transport





















Karin et al., arXiv:1011.6116v2

























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- no shielding from bulk metal
- one monolayer of adsorbates is sufficient!
- at 10⁻¹¹ mbar: one monolayer / day





Random dipole orientation

$$E_N(r) \sim \sqrt{N} \frac{\mu}{r^3}$$

Noise spectral density over trap surface

E

d

$$S_{\rm E} \sim \int_{\rm surf} n_{\rm s}(r) \left(\frac{\mu}{r^3}\right)^2 S_{\mu} \, d\alpha \sim \frac{n_{\rm s} \mu^2}{d^4} S_{\mu}$$

Turchette et al., Phys. Rev. A 61 63418 (2000)

Daniilidis et al., New J. Phys. 13 013032 (2011)







 $\Gamma = \omega_0 \exp(-\Delta U/k_{\rm B}T)$

Log-uniform distribution of relaxation rates

 $p(\Gamma) = \frac{\ln(\Gamma_{\max}/\Gamma_{\min})}{\Gamma}, \quad \Gamma_{\min} < \Gamma < \Gamma_{\max}$





Nikos Daniliidis





Repeated cleaning / annealing cycles

- 1. Ar^+ ion bombardment
 - Ion energy 150 eV 2 keV
 - Beam diameter 5 mm 20 mm
- 2. Anneal at $400^{\circ}C 800^{\circ}C$
- 3. Monitor surface contamination



See also NIST, Dustin Hite









Conclusion





- Study physics of ion crystals in microtraps
- Transport in 3D of charged particles
- Candidate mechanism for anomalous heating







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