## 3.7 Alpha-Particle Counting

#### 3.7.1 Introduction

The use of  $4\pi$ -proportional counters for alpha-particle counting has been treated in Section 3.5, pulse-ionization chambers and ZnS(Ag)-coated scintillation cells in Section 6.1.2.3, silicon surface-barrier detectors and diffused-junction detectors in Section 4.5.3, and liquid-scintillation counters in Sections 3.8, 4.3.8, and 6.1.2.2. The assay of alpha-particle-emitting sources by the methods of  $2\pi$  proportional and defined-solid-angle counting is the subject of this section. Methods for the calibration of alpha-particle sources by defined-solid-angle counting have been reviewed by Brouns (1968).

# 3.7.2 Standardization by $2\pi$ Proportional Counting

The measurement of alpha-emitting radionuclides in  $2\pi$  geometry requires essentially the measurement with one half of a  $4\pi$  system, and all considerations in  $4\pi$  proportional counting apply here equally well.

The source may, however, be electrodeposited or evaporated onto a polished-metal backing that behaves as a semi-infinite medium. Alpha particles, being more massive than electrons, are less easily scattered from the backing, so that the fraction of the alpha particles scattered into the  $2\pi$  counter is far less than in the case of beta particles. Also, alpha particles are emitted in monoenergetic groups with much higher energies than beta particles, which are characteristically emitted in a spectrum of energies.

Nevertheless, to obtain accuracies comparable to those obtained in  $4\pi$  counting, scattering and also source self-absorption must be evaluated. In general, such an evaluation can be readily made only for sources of uniform and known thickness.

### 3.7.3 Backscattering

Backscattering, in this section, refers specifically to the effect in which alpha particles, initially moving in the direction of the source

mount, are deflected into the sensitive volume of the  $2\pi$  detector. Many investigators [e.g., Deruytter (1962); Hutchinson *et al.* (1968)] have concluded that the number of backscattered alpha particles is between zero and five percent of the number emitted into  $2\pi$  steradians, depending on the thickness and uniformity of the source, the atomic number of the mount and source material, and the energy of the alpha particles.

Walker (1965) and others have shown that backscattered alpha particles move predominantly into angles of less than  $5^{\circ}$  from the plane of the source mount, as a result of *multiple* small-angle scattering primarily due to the nuclear electrostatic field. Large-angle Rutherford scattering occurs in the order of a few times in  $10^{5}$  emitted alpha particles, and is, therefore, negligible for almost all  $2\pi$  counting.

Backscattering increases with increasing atomic number, Z, of the scattering material, as demonstrated in Figure 32, for which  $2 \mu g$  cm<sup>-2</sup> collodion films impregnated with <sup>210</sup>Po were placed on polished source mounts of a number of materials. The backscattered fraction,  $f_b$ , of the total for "weightless" sources is given by:

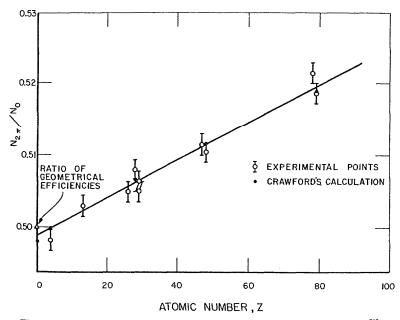


Fig. 32. Counting rate in the NBS  $2\pi$   $\alpha$ -particle counter divided by  $N_0$  for <sup>210</sup>Po sources impregnated in collodion on polished mounts plotted against Z, the atomic number of the backing material. The error bars represent plus and minus one standard error. The solid points are obtained from a relation developed by Crawford (1949). (From Hutchinson *et al.*, 1968)

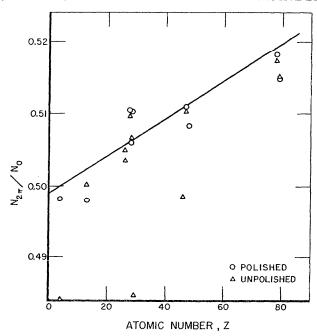


Fig. 33. Counting rate in the NBS  $2\pi$   $\alpha$ -particle counter divided by  $N_0$ , for  $^{210}$ Po sources adsorbed onto polished and unpolished mounts plotted against Z, the atomic number of the backing material.

$$f_b = \frac{N_{2\pi}}{N_0} - 0.5 \tag{3.27}$$

where  $N_{2\pi}$  is the alpha-particle count rate in  $2\pi$  geometry, and  $N_0$  is the total alpha-particle-emission rate. Figure 33 shows the experimental values of  $N_{2\pi}/N_0$  plotted as a function of Z for sources adsorbed onto polished and unpolished mounts, and the large scatter of the points demonstrates the often great effect of even minor surface irregularities on the backscattering.

It has also been shown (Crawford, 1949; Hutchinson *et al.*, 1968) that backscattering varies approximately as  $E^{-1/2}$ , where E is the alpha-particle energy.

# 3.7.4 Source Self-Absorption

The absorption of alpha particles by the source is primarily a function of the thickness,  $d_s$ , of the source and the range,  $R_s$ , of the

alpha particles in the source material. Thus, several authors [Robinson, H. (1960); Friedlander et al. (1964); Gold et al. (1968); White (1970)] have shown, both theoretically and experimentally, that for a uniformly thick source, the fraction of alpha particles absorbed by the source increases proportionately to  $d_{\rm s}/2R_{\rm s}$  for  $d_{\rm s} < R_{\rm s}$ . Figure 34 demonstrates this dependence, which can be calculated from simple geometrical considerations and the assumptions that alpha particles have a well defined range and are not deflected from their initial direction in the source material.

# 3.7.5 Calculation of Scattering and Source Self-Absorption

These last assumptions (Section 3.7.4) represent only first order approximations, and scattering would not occur if they were strictly true

An expression for  $N_{2\pi}/N_0$ , for the source configuration shown in Figure 35, is given in Eq. 3.28. A non-radioactive layer of absorber a, thickness  $d_s$ , covers an alpha-particle emitting source s, thickness  $d_s$ , deposited on a semi-infinite backing material b. Then

$$\frac{N_{2\pi}}{N_0} = \frac{1}{2} \left( 1 - \frac{d_a}{R_a} - \frac{d_s}{2R_s} \right) + f_s, \tag{3.28}$$

where  $R_a$  and  $R_s$  are the alpha-particle ranges in absorber and source, respectively, and  $f_s$  is the scattered fraction. For "weightless" sources and no absorbing material,  $f_s$  reduces to  $f_b$ , which is the backscattering due to the backing material. These results have been discussed in

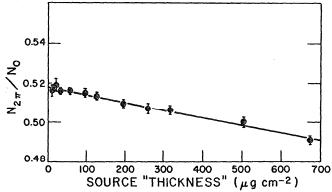


Fig. 34.  $N_{2\pi}/N_0$  as a function of surface density in  $\mu g$  cm<sup>-2</sup> for UF<sub>4</sub> sources. Error bars are representative of one standard deviation. (From Gold *et al.*, 1968)

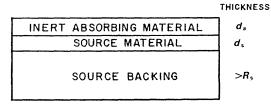


Fig. 35. Schematic illustration of a covered, deposited, alpha-particle source.

Lucas and Hutchinson (1976) and Hutchinson *et al.* (1976a). Figure 36 shows their experimental values and the theoretical curve for  $N_{2\pi}/N_0$  vs.  $d_{\rm s}/R_{\rm s}$  for sources of <sup>235</sup>UO<sub>2</sub> deposited on polished platinum.

#### **3.7.6** The Robinson Counter

Robinson, H. (1960) has developed a counter, Figure 37, with an accurately defined geometrical efficiency close to  $0.8\pi$  steradians, for alpha particles emitted in a direction normal to the plane of the source. Multiply scattered alpha particles, essentially all of which are emitted at grazing angles to the source, are not detected. The difficult problem of estimating the backscattering contribution, encountered in  $2\pi$  counting, is thus avoided. The detector is usually of scintillating plastic, CaF(Eu), ZnS, or CsI(Tl) (Hutchinson et al., 1968), and a haffle at its center is so designed that variations in source positioning of as much as 1 cm result in negligible changes in the overall detection efficiency. Consequently, the counter can be used to measure relatively large lowactivity sources with accuracies of approximately 0.5 percent. In this geometry less than 0.2 percent of the counts are lost due to source selfabsorption perpendicular to the source, if its thickness is less than 0.25  $R_{\rm s}$ . Such counters, during operation, are usually evacuated or filled with hydrogen at atmospheric pressure.

The detection efficiency,  $\varepsilon_{0.8\pi}$ , of the  $0.8\pi$  counter was deduced from measurements on thin sources with the  $2\pi$  and  $0.8\pi$  counters for different values of atomic number, Z, of the backing material (Hutchinson et al., 1968). The  $2\pi$  count rate,  $N_{2\pi}$ , divided by the  $0.8\pi$  count rate,  $N_{0.8\pi}$ , was plotted as a function of Z, and extrapolated to Z=0 where, theoretically,  $\varepsilon_{0.8\pi} = N_{0.8\pi}/2N_{2\pi}$ .

### 3.7.7 Low-Solid-Angle Counters

As mentioned in Section 1.5.2, the defined low-solid-angle counter, although often just used for relative measurements, has proved to be