

3D Imaging of Nanostructures Using Electron Tomography, and the Impact of Aberration Correctors

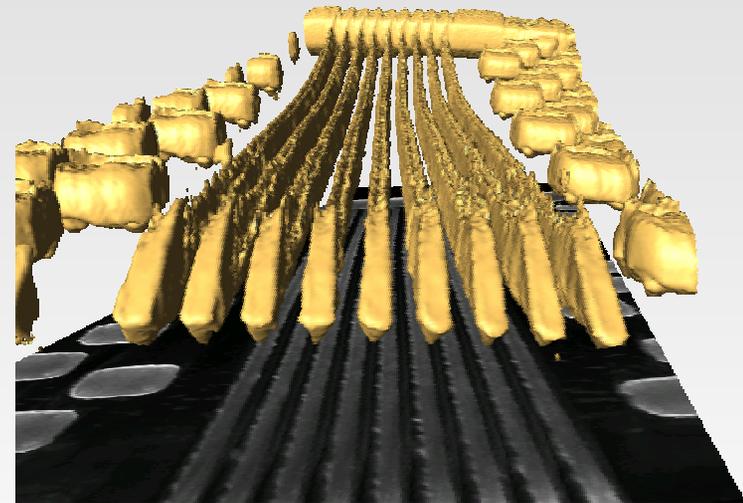


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Tomographic Reconstruction



Goal: 3D information from thick, crystalline, high atomic number materials

- Measure structure thicknesses, x-sections, CDs

Challenges:

- Image intensities for electron tomography must be monotonic with thickness

⇒ Not Conventional TEM

- Contrast reversal in HAADF Scanning TEM (Z-contrast)

⇒ High mass-thickness materials appear dark at high tilts

- Samples must be tilted to $\pm 70^\circ$ to recover 3D information

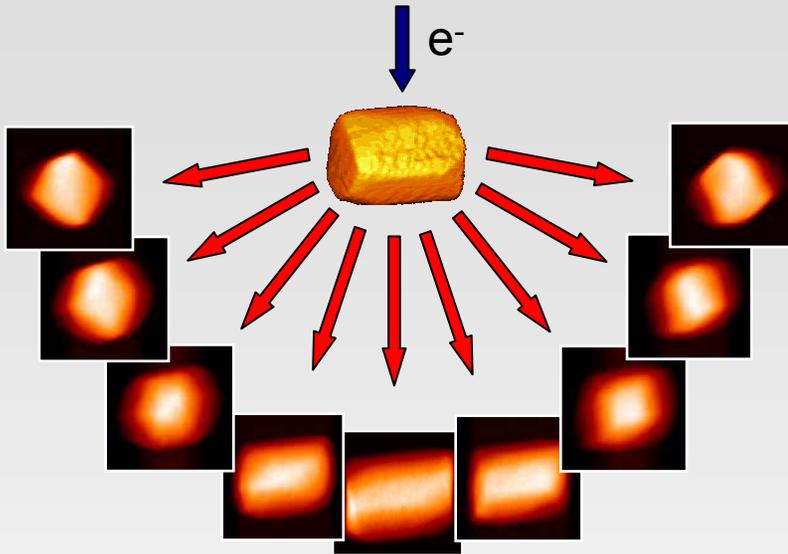
⇒ Tilting causes translations and rotations between images that must be corrected (post-processing)

Impact of aberration correctors:

- Lateral and depth resolution significantly improved

⇒ Depth resolution < sample thickness

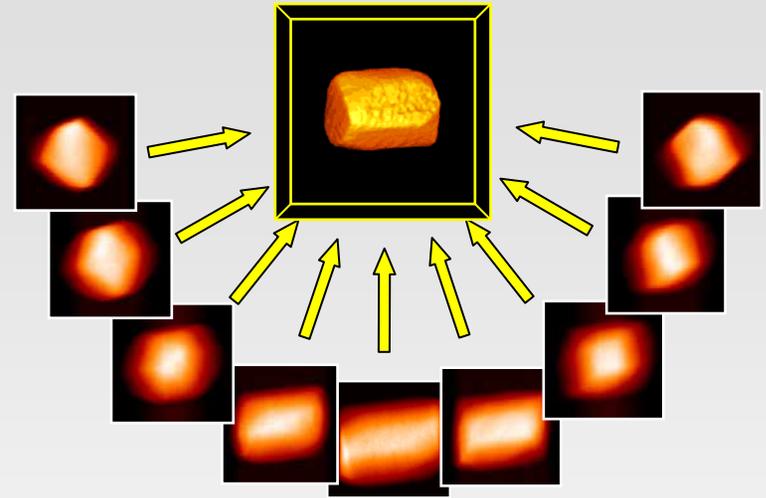
Tomography Experiment



Acquisition

For the best results:

- Acquire many images over as large a tilt range as possible
 - One every 1-2° from $\pm 70^\circ$
 - Filling Fourier Space

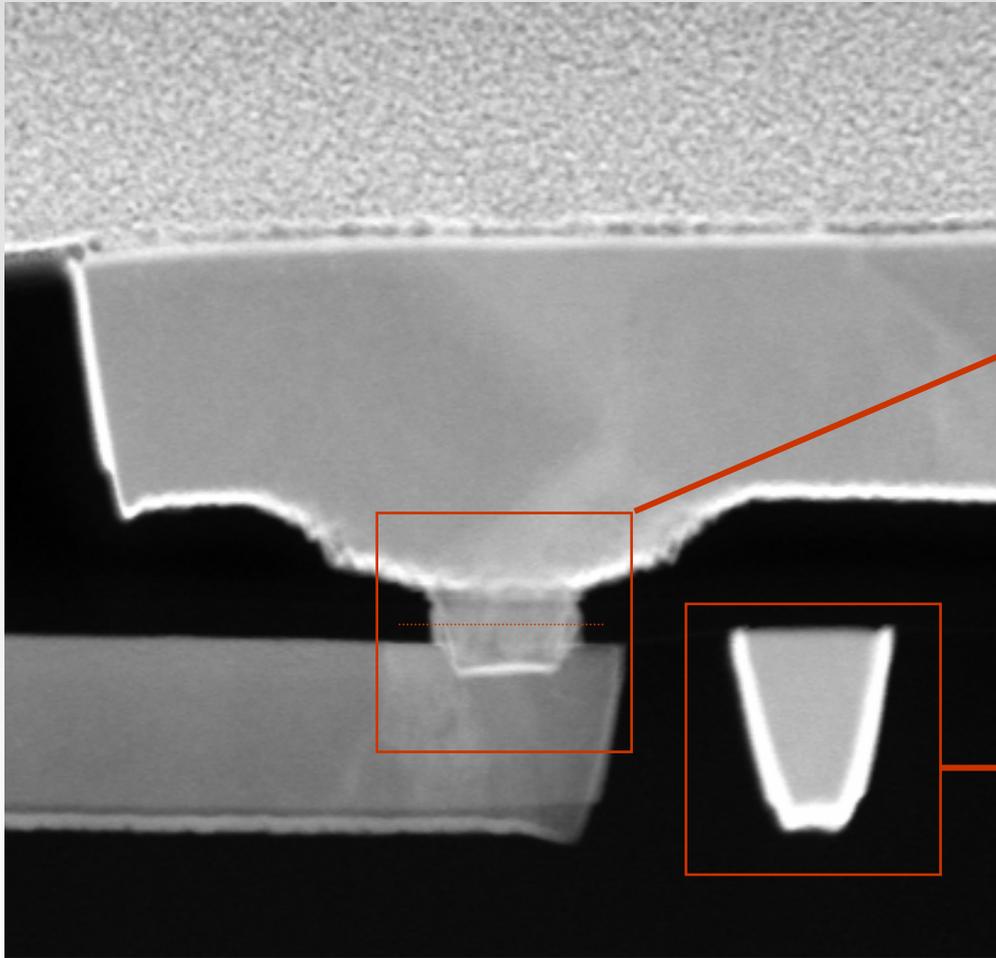


Reconstruction

Requires:

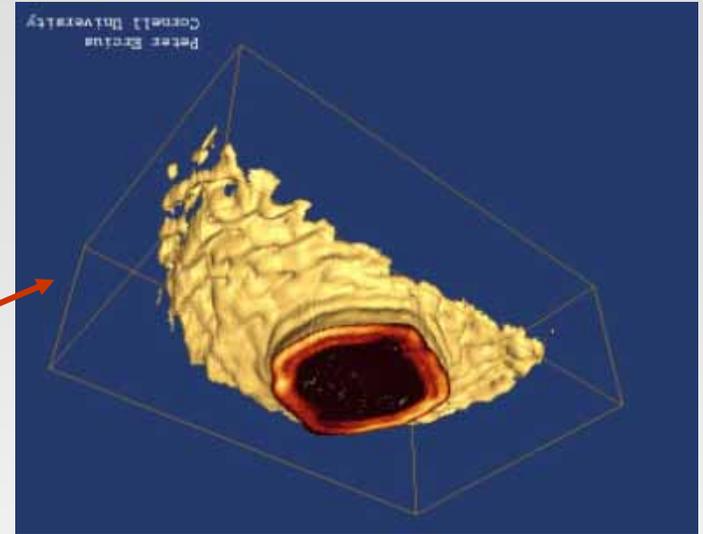
- Accurate spatial alignment
- Determination of tilt axis
- Accurately spaced angular increments

V2 Via Liner Layer by HAADF STEM



90nm Cu line width

Etch Roughness



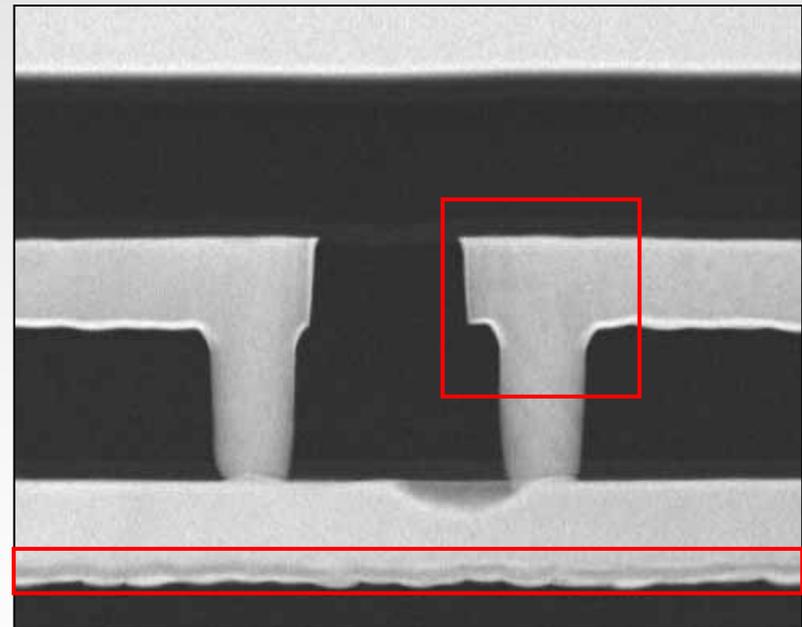
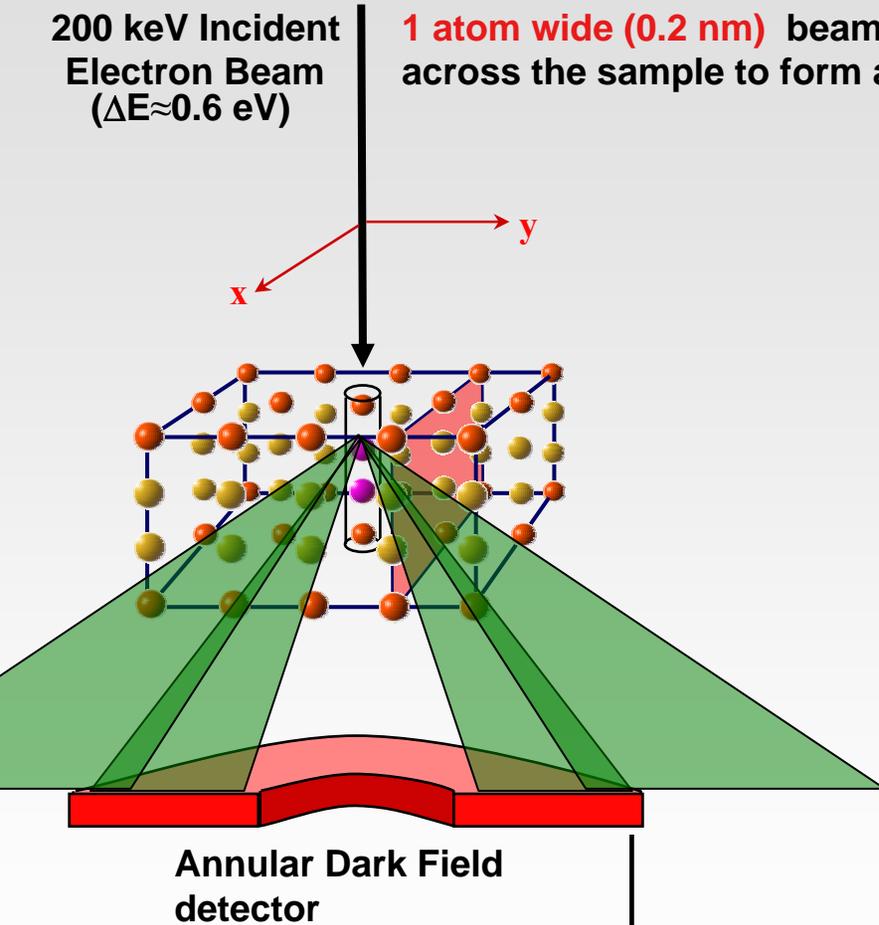
Lithography Roughness



Contrast Reversal in HAADF STEM

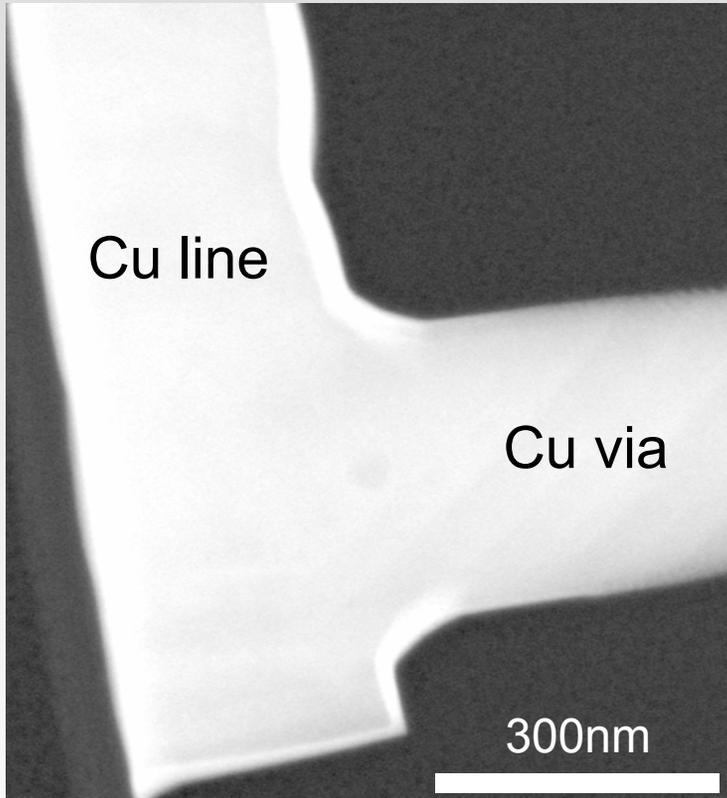
200 keV Incident
Electron Beam
($\Delta E \approx 0.6$ eV)

1 atom wide (0.2 nm) beam is rastered
across the sample to form a 2-D image

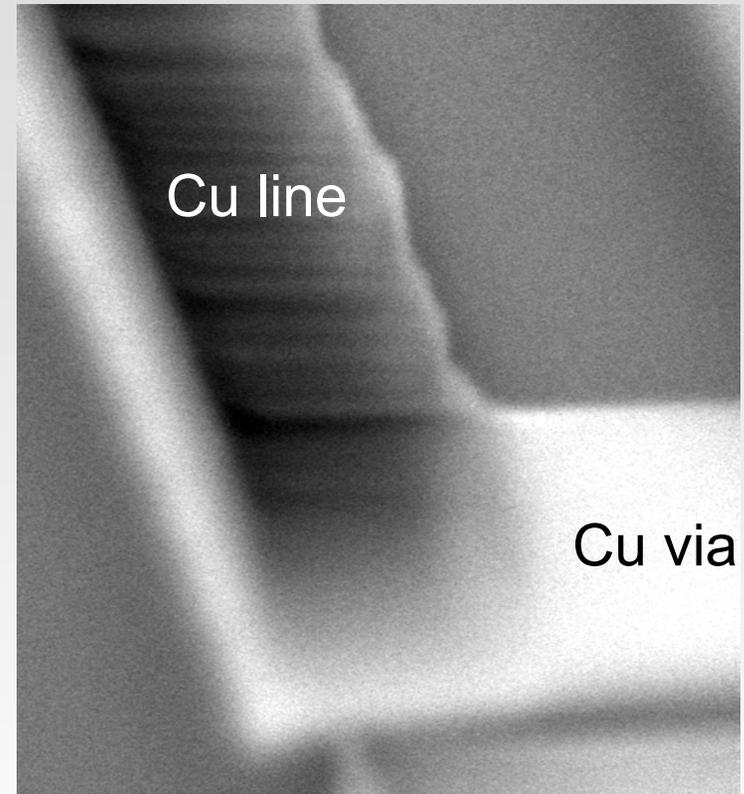


ADF image

Contrast Reversal with Thickness

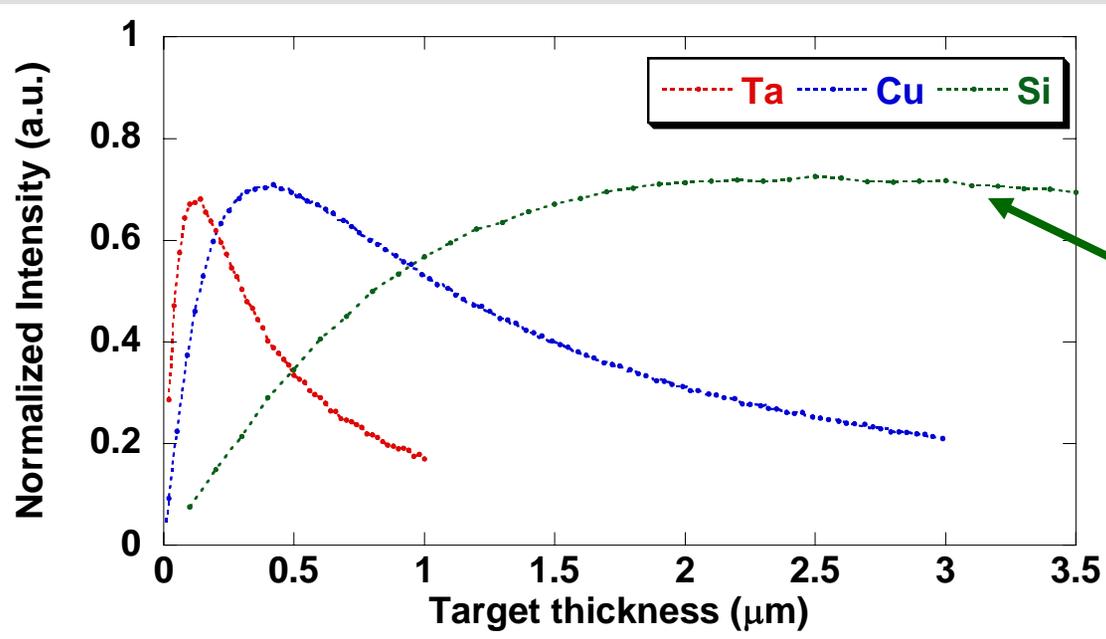


- HAADF STEM
- 0° tilt



- HAADF STEM
- 70° tilt

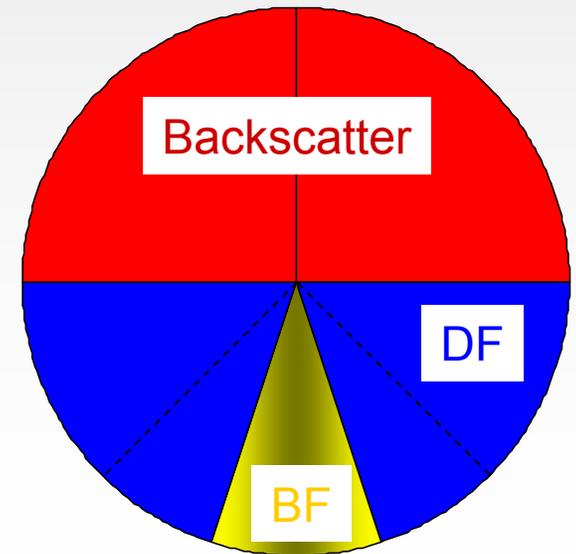
Why the Contrast Reversal in HAADF?



Signal drops when electrons scatter outside outer angle of detector (e.g. backscattering)

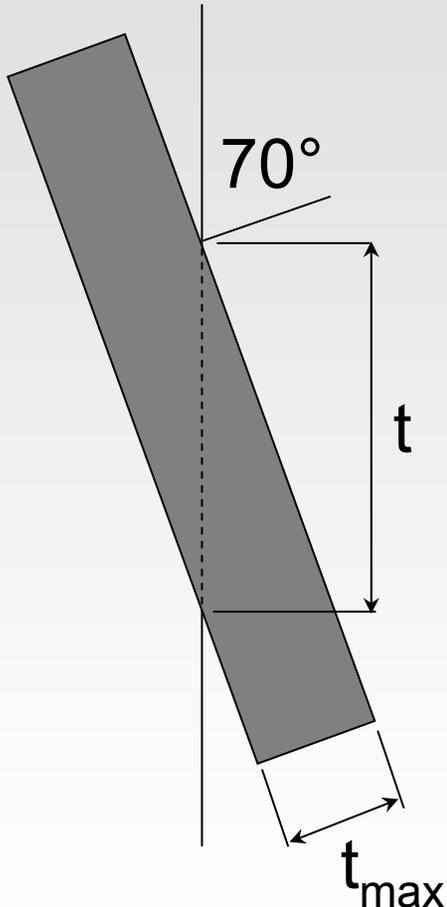
But no electrons stop in the sample:

$$R = \frac{K}{\rho} E_0^\gamma \cong 50 \mu\text{m} \text{ in Cu for } 200\text{keV}$$



Maximum Material Thickness: HAADF vs IBF

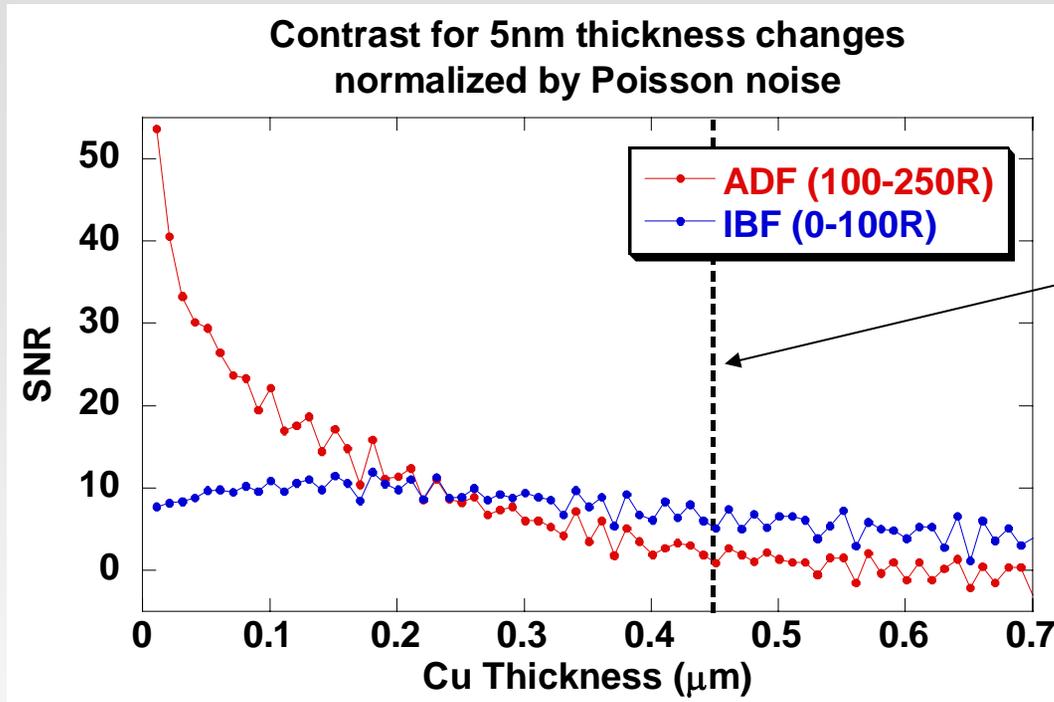
Apparent thickness is increased ~threefold by tilting



Maximum material thickness, t_{max} (in nm), for $\pm 70^\circ$ tilt

	HAADF	IBF
Tantalum	47	73±7
Copper	143	220±20
Silicon	855	1160±30

IBF vs. HAADF for Cu: SNR

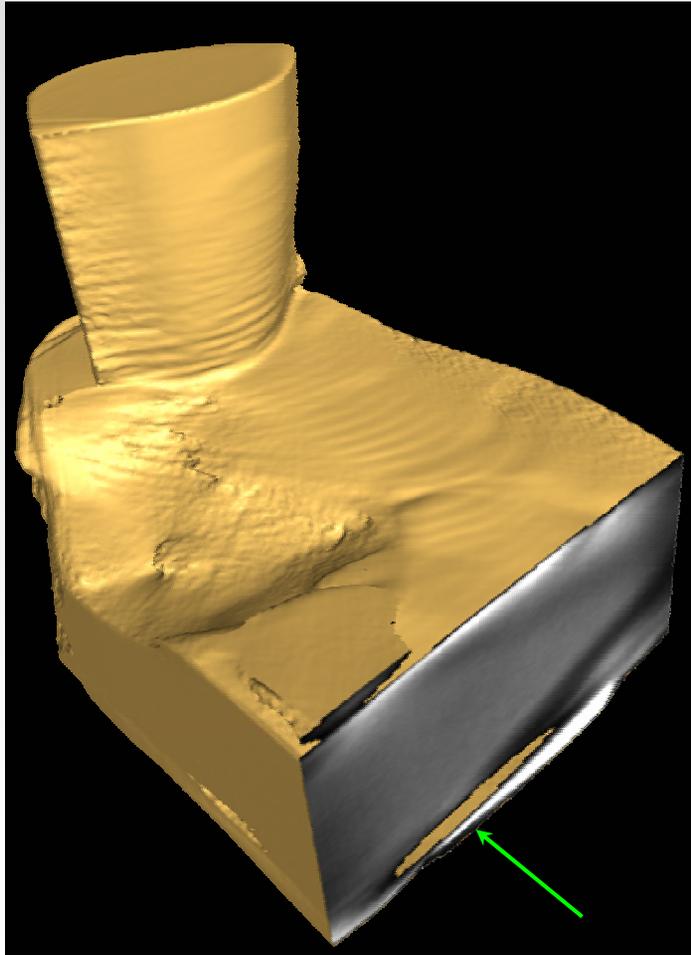


ADF contrast reversal

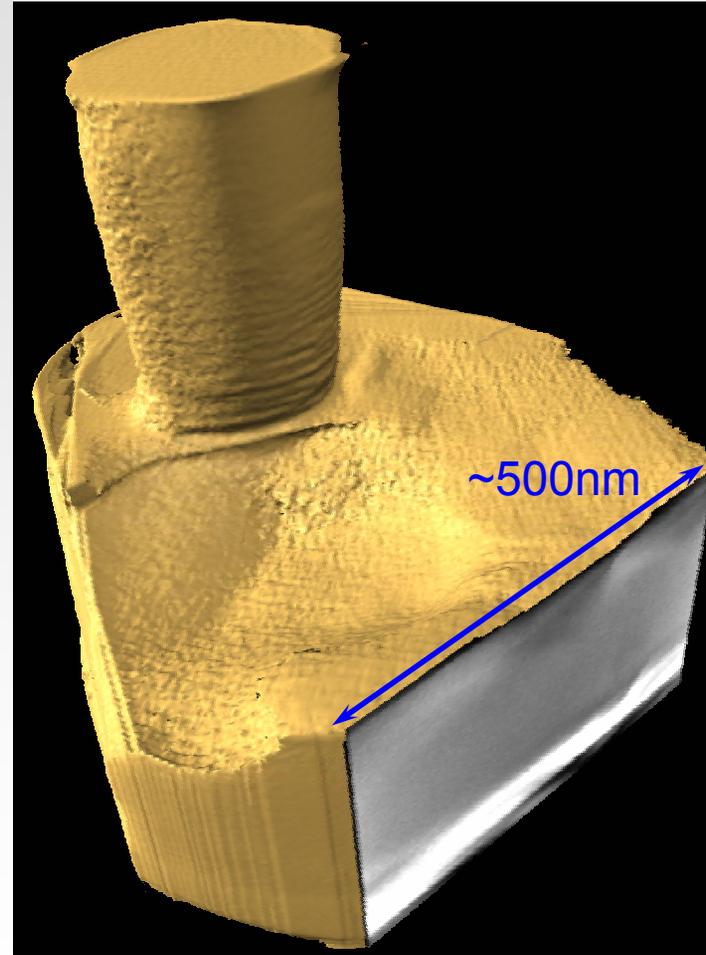
- Question: when does IBF become advantageous over HAADF?
 - Compare for $\Delta t=5\text{nm}$ at relevant thicknesses
- IBF is better even before contrast reversal thicknesses are reached

Stress Void Reconstructions

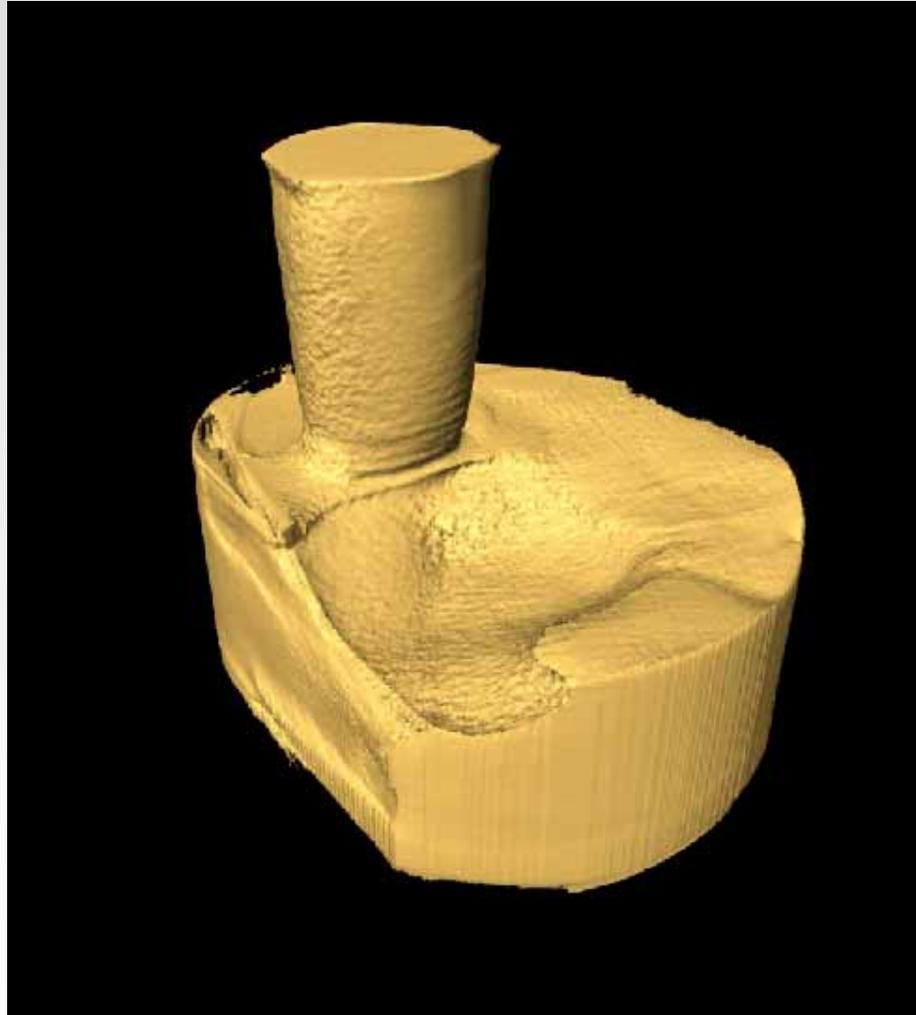
HAADF



IBF

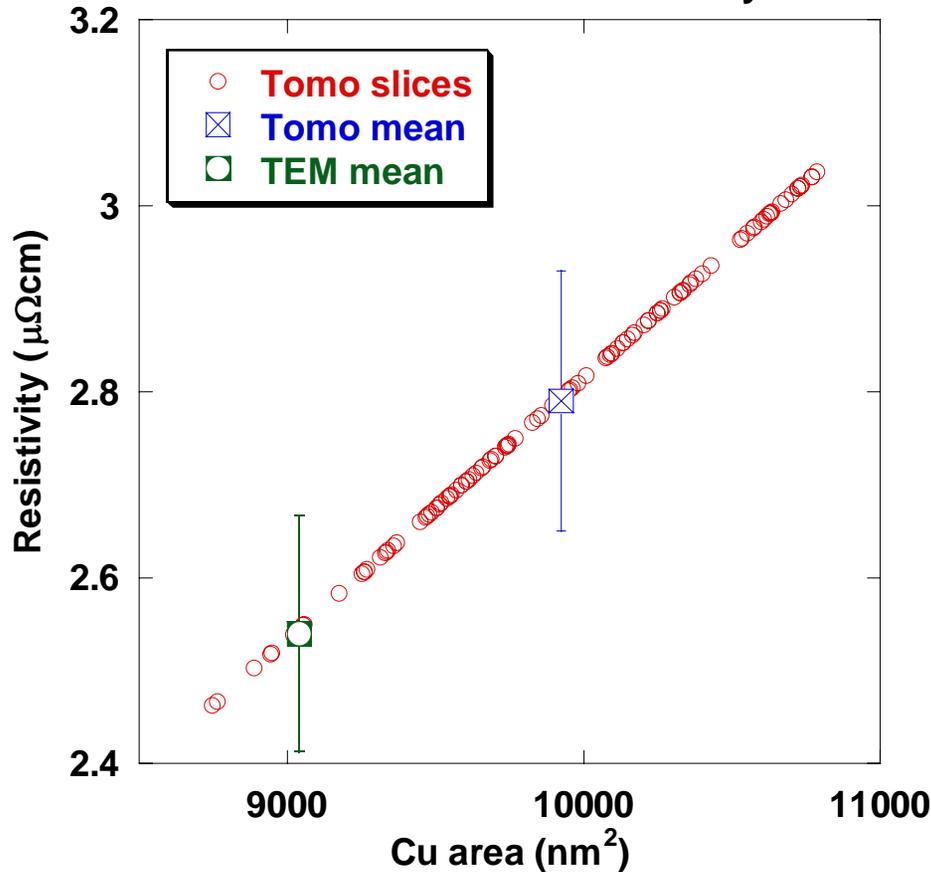


Stress Void and Via Reconstruction

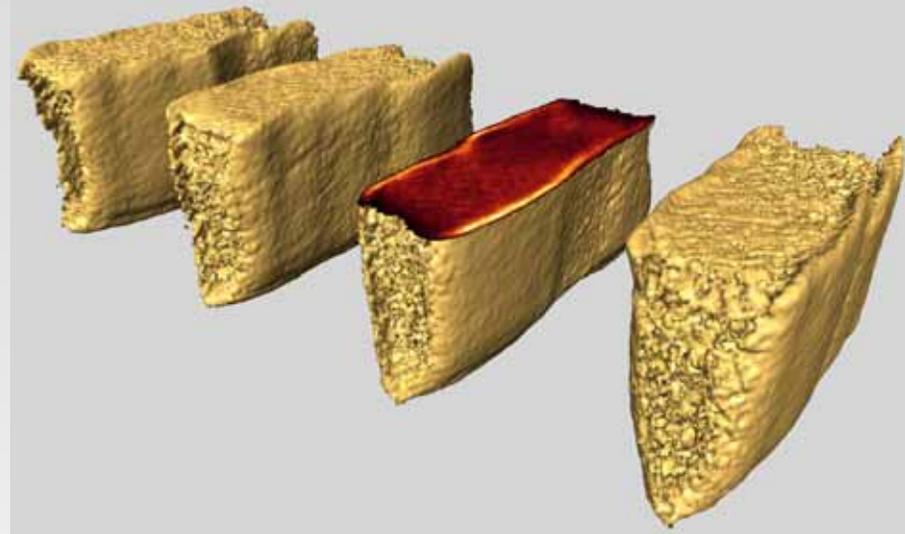


Copper Line Resistivity

Conductor area vs. resistivity

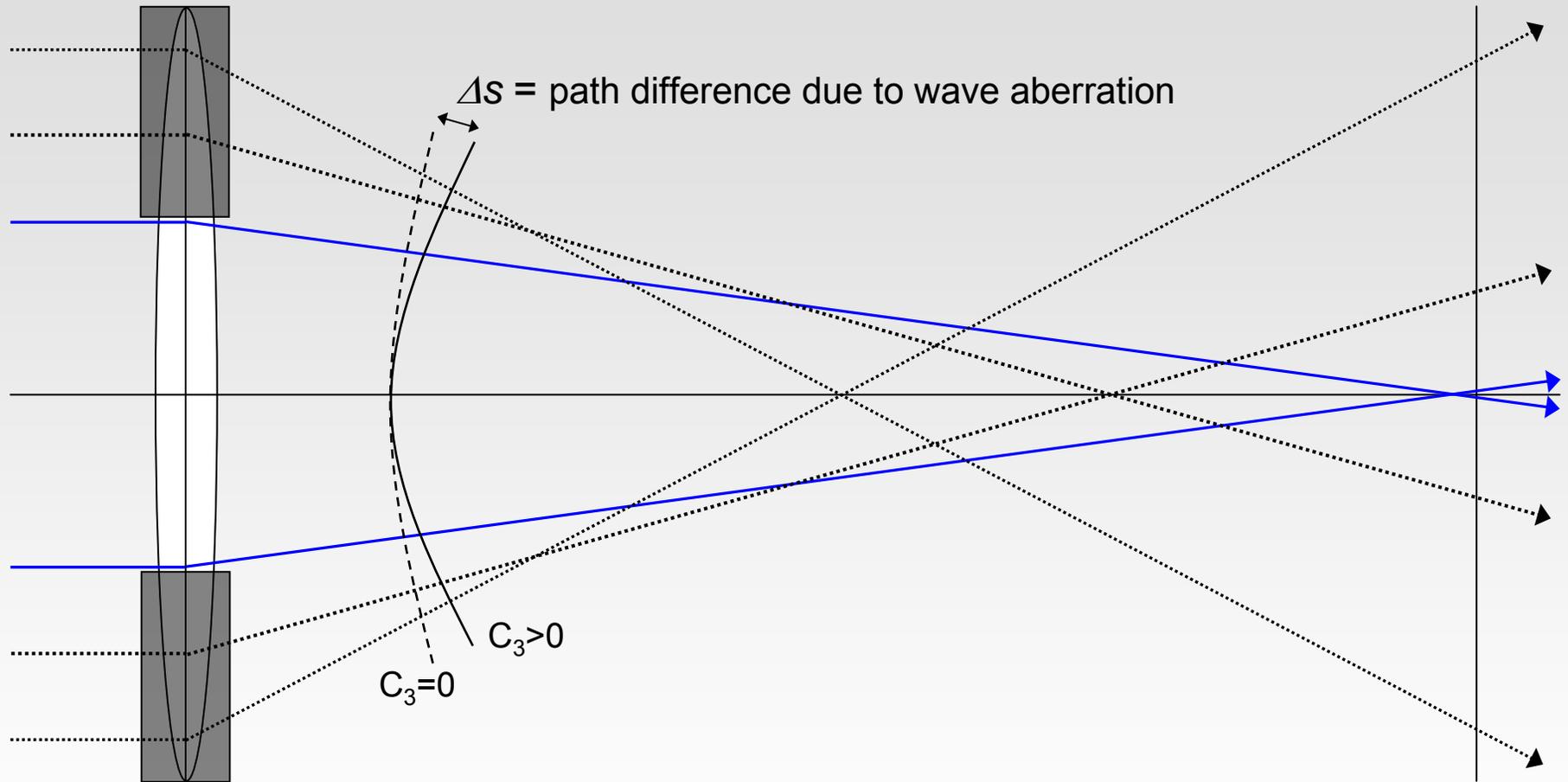


- TEM data from L. Gignac



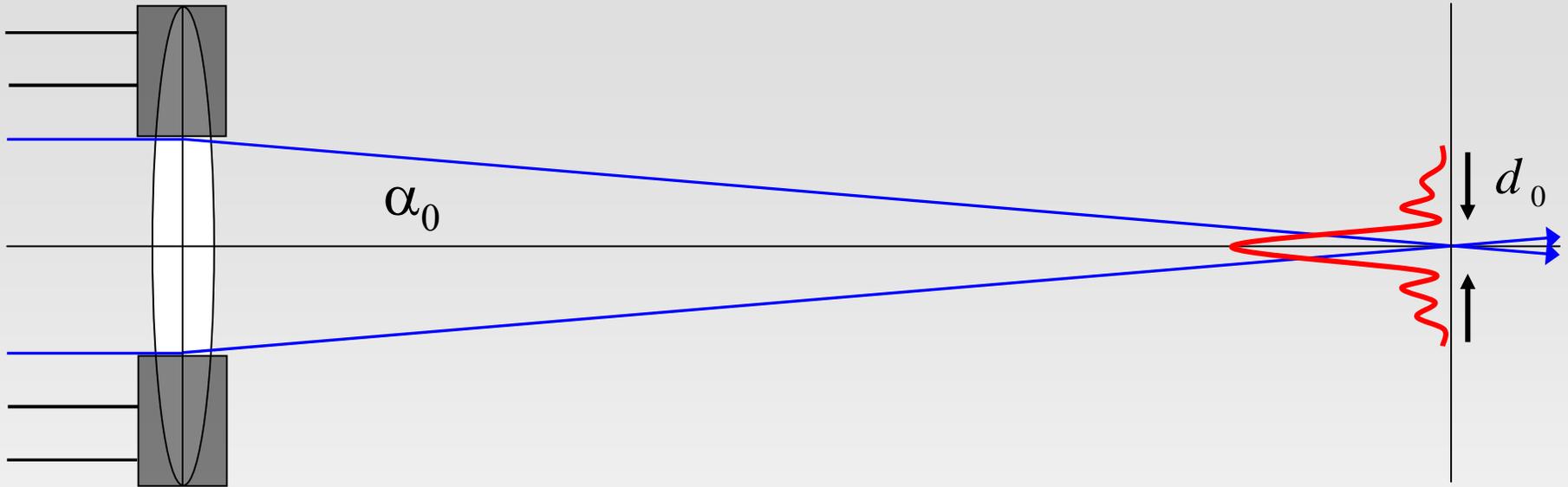
- By preparing one sample for tomography we can gain information about ~2nm slices of each line.
- Getting the same information by CTEM requires preparation and measurement of many samples.

Electron Lens Aberrations



- Use circular aperture to cutoff electrons with a large phase shift Δs across the lens

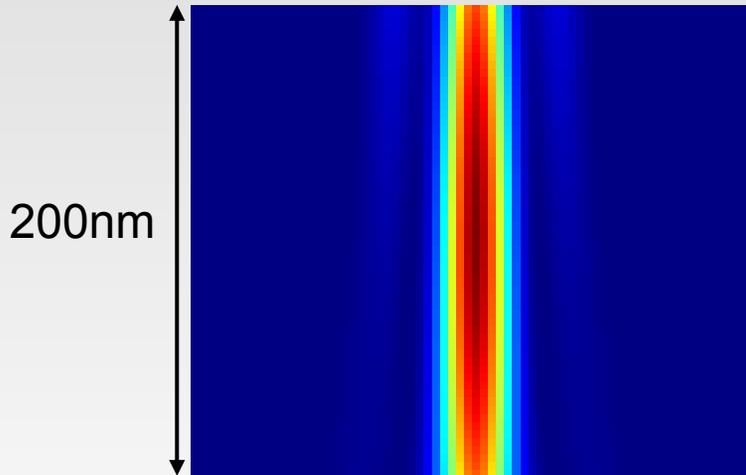
Balance Aberration and Diffraction



- The image of a point transferred through a lens with a circular aperture of semiangle α_0 is an Airy disk of diameter: $d_0 \propto 1/\alpha_0$
- Balance spherical aberration against the aperture's diffraction limit
 - Less diffraction with a larger aperture
- Design correctors to eliminate phase shift across the lens
 - Lens aberrations are a non-convergent power series
 - Correct $C_3 \rightarrow C_5$; Correct $C_5 \rightarrow C_7$; ETC...

Depth Point Spread Function (PSF)

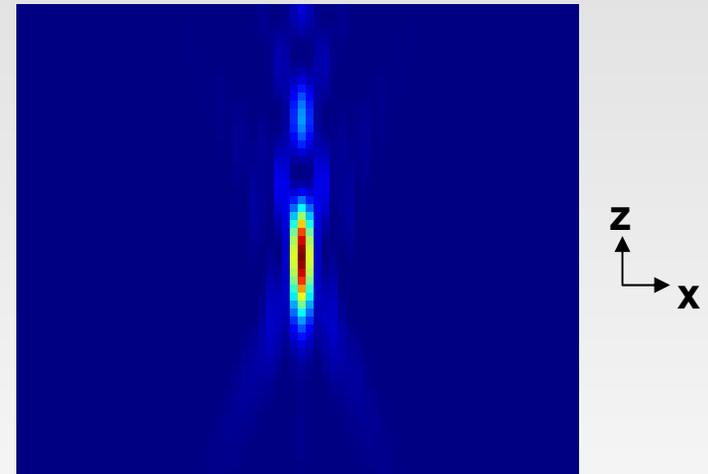
C_3 limited:



$$\Delta z \approx 33nm$$

200keV, $\alpha=9.6mRad$,
 $C_3=1.2mm$, $\Delta f=550\text{\AA}$

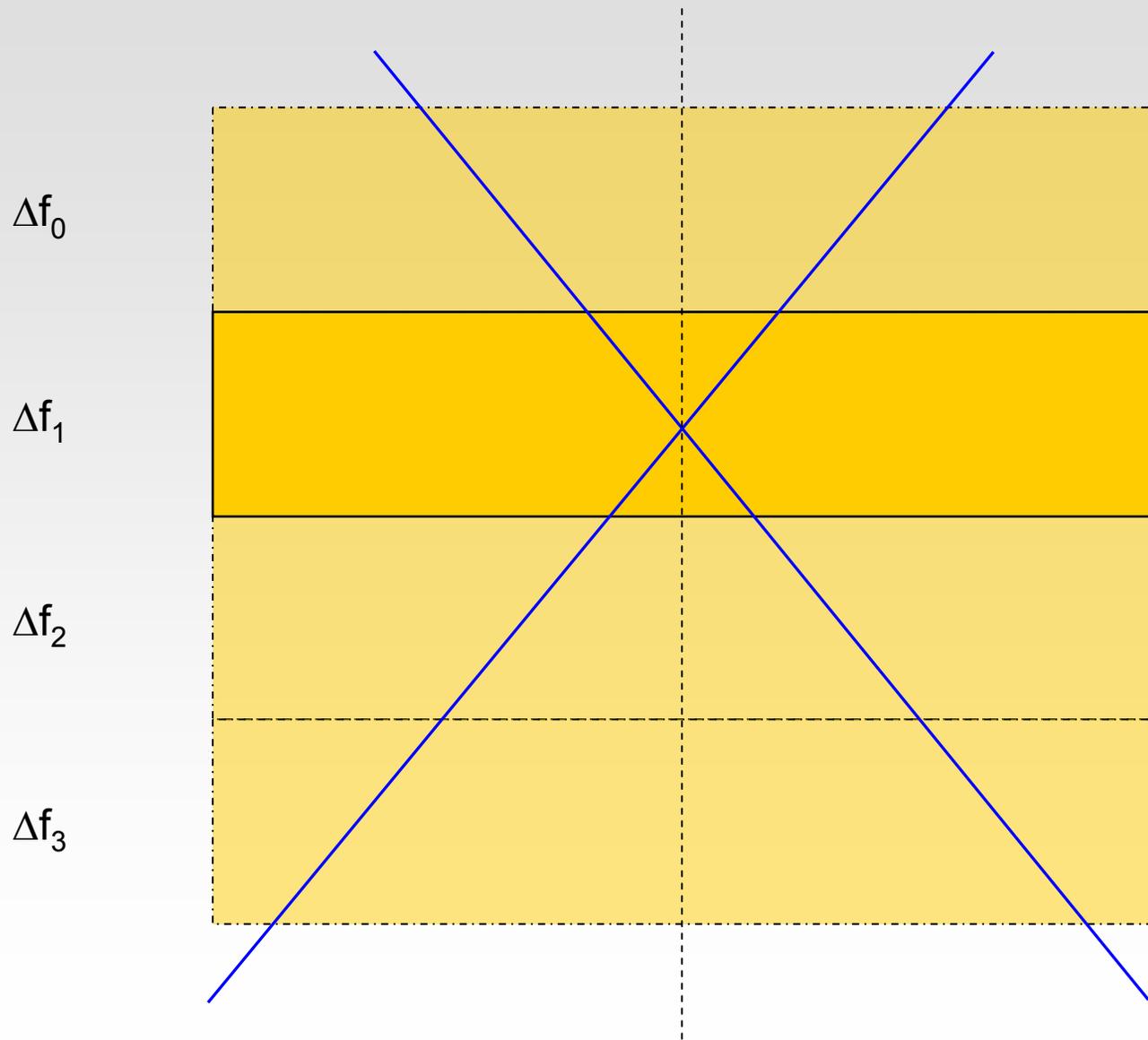
C_5 limited:



$$\Delta z \approx 3.6nm$$

200keV, $\alpha=29.1mRad$
 $C_3=-0.0842mm$,
 $C_5=100mm$, $\Delta f=-132\text{\AA}$

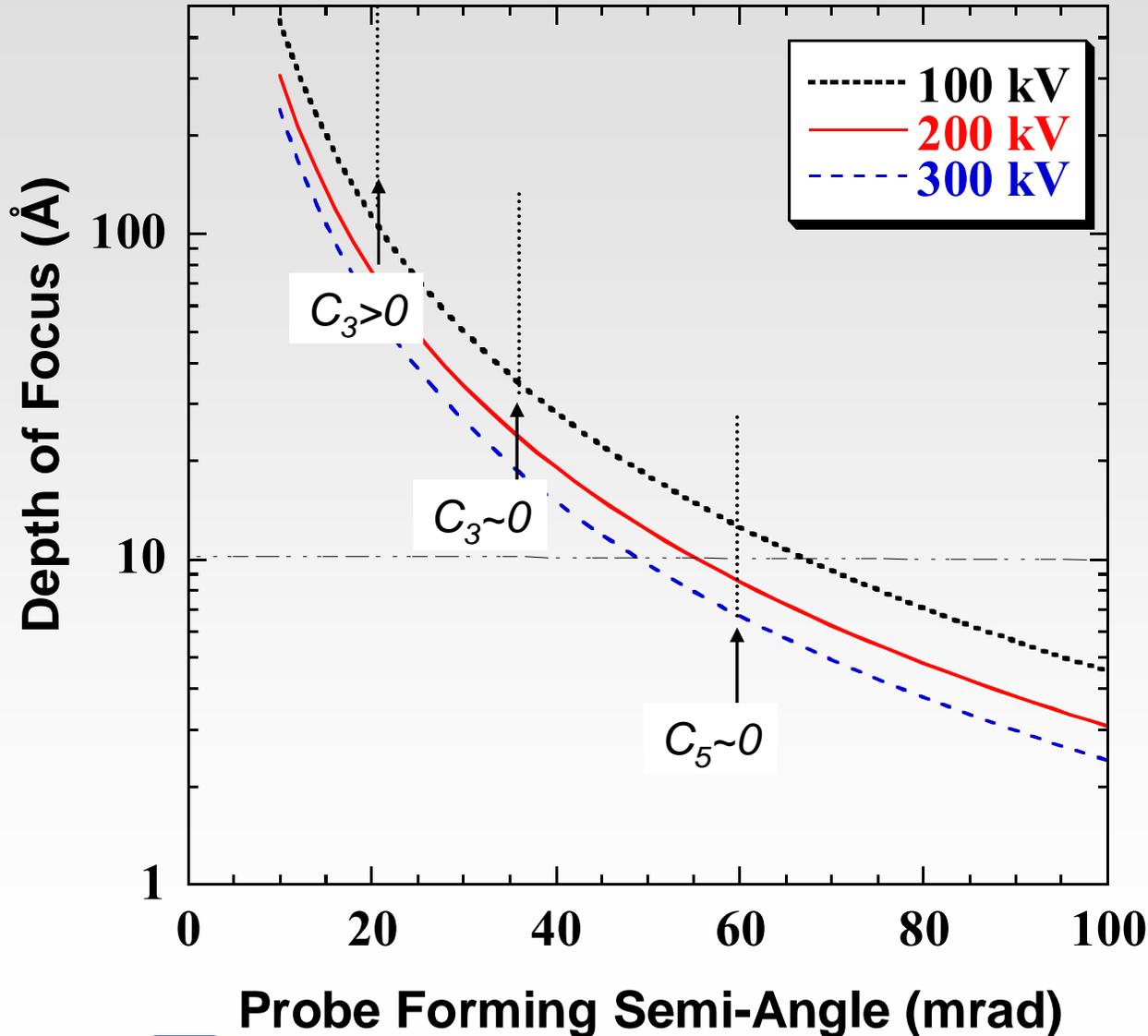
Depth Sectioning by Focal Series



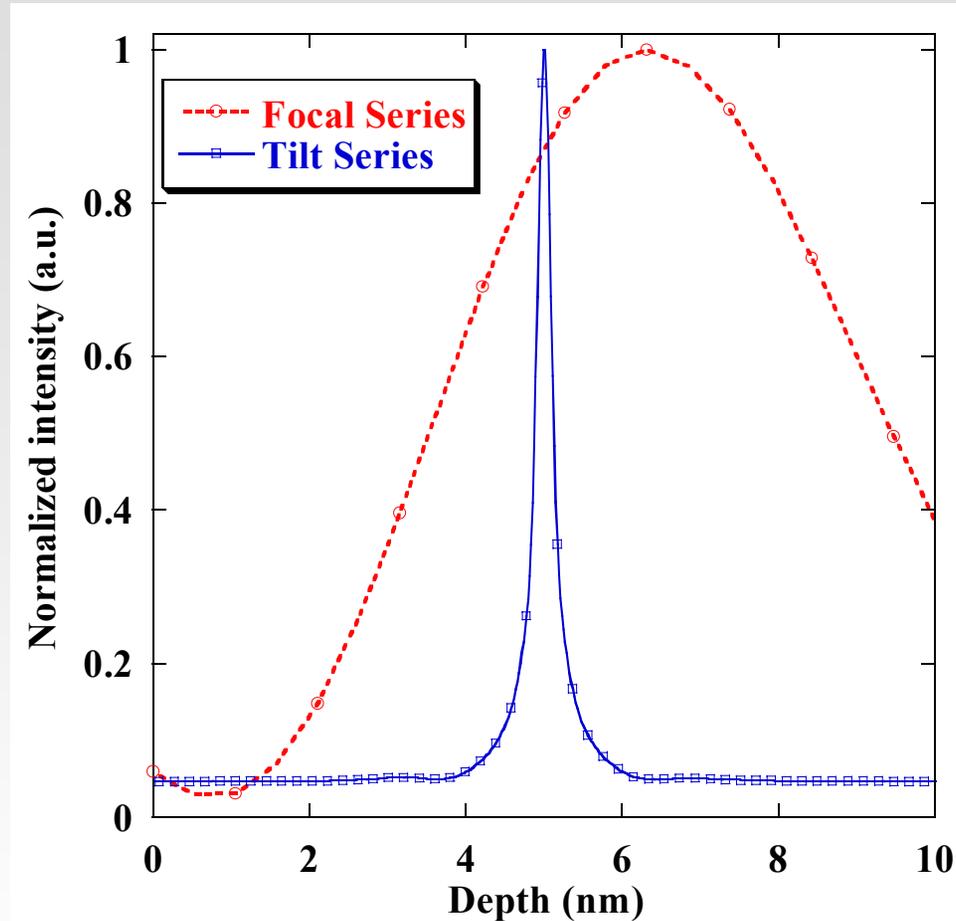
Prospects for Depth Sectioning

Current STEM correctors: $\Delta z \sim 3-8$ nm

Super STEM: $\Delta z \sim 1$ nm?



Tomography or Depth Sectioning

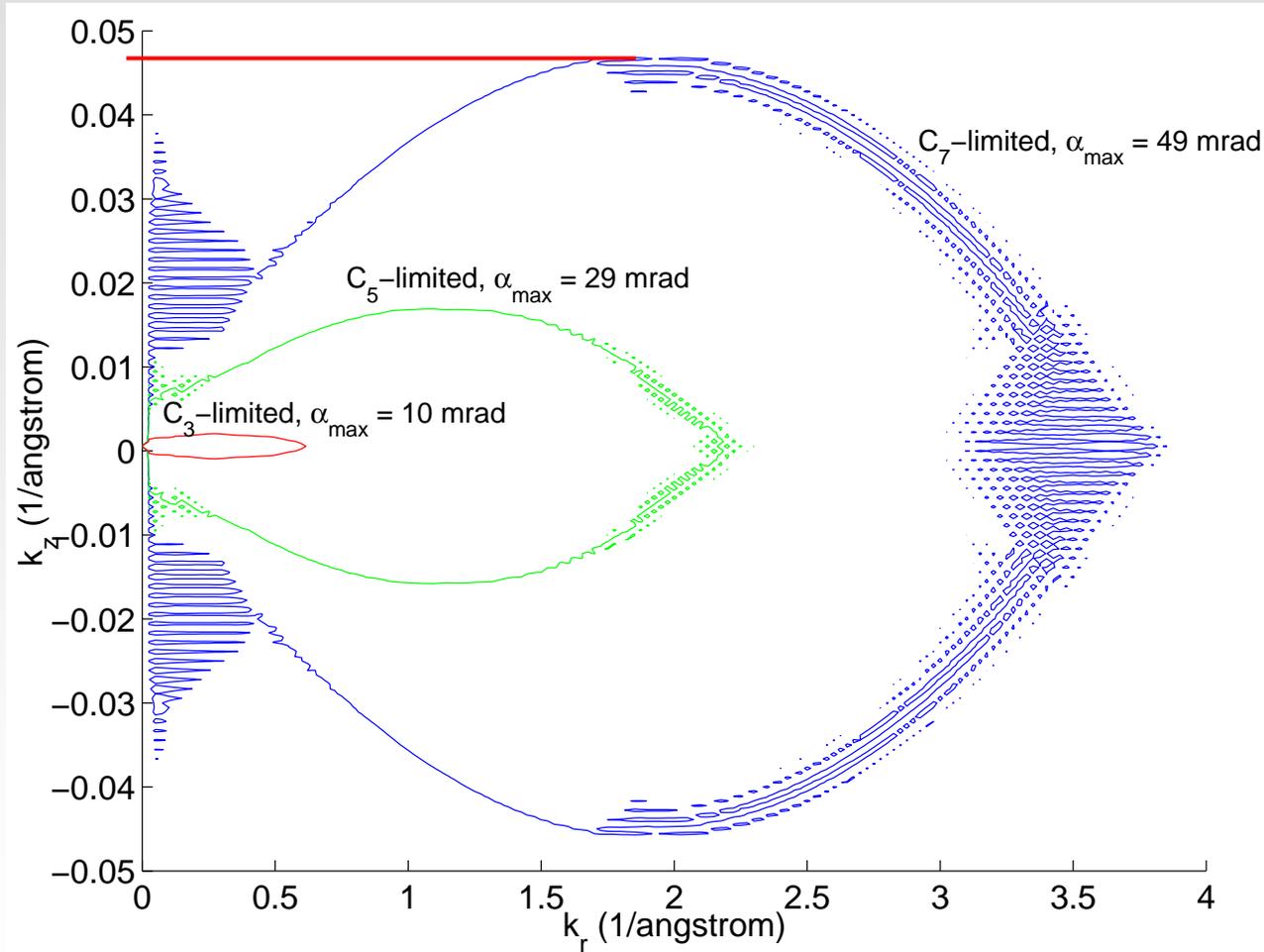


Focal Series: Change defocus to sample at different depths

Tilt Series: Tilt sample to fill Fourier-Space with projections

Information Limit for Depth Sectioning

Information limit: $0.05^{-1} = 20\text{\AA}$



Half-angle: $2\alpha_{\max}$

k_r cutoff: $\frac{2\alpha_{\max}}{\lambda}$

C_3 limited:

9.6mrad = $.55^\circ$

covers : 1.1°

C_5 limited:

29mrad = 1.66°

covers : 3.32°

Fourier Reconstruction with Depth Sectioning at Different Tilts

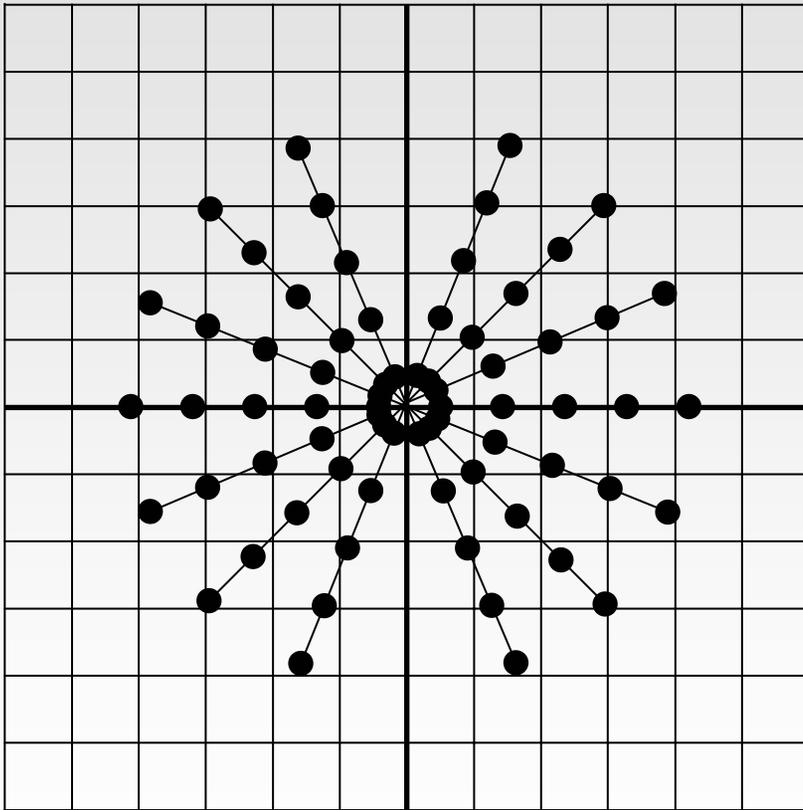
-45°, 0°, 45°

k_z
 k_y

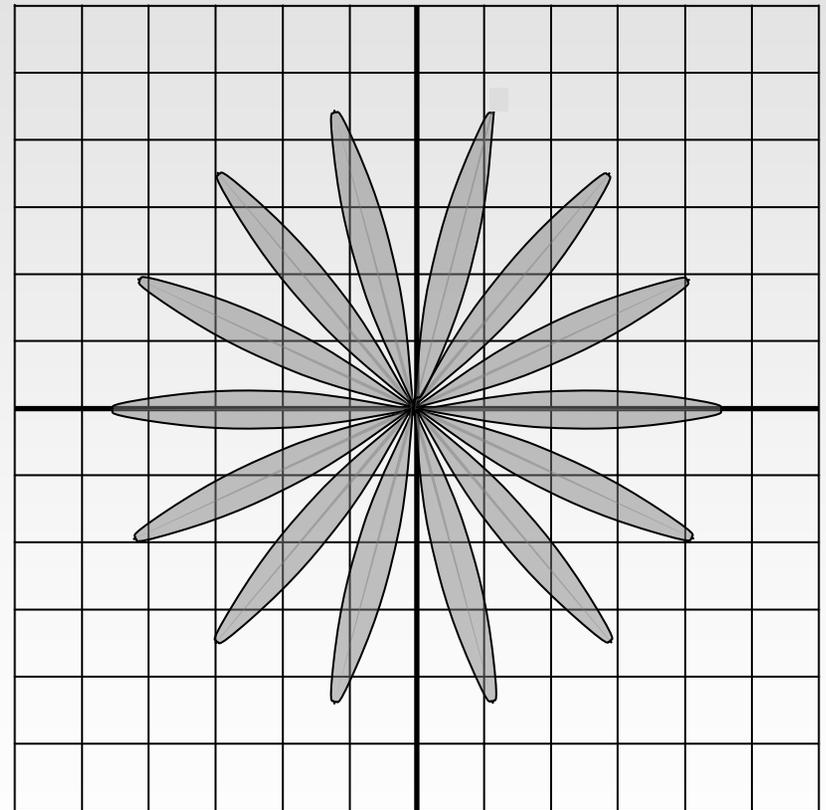
$\pm 70^\circ @ 7^\circ \text{ inc.}$

Fourier Reconstruction Methods

Tilt Series

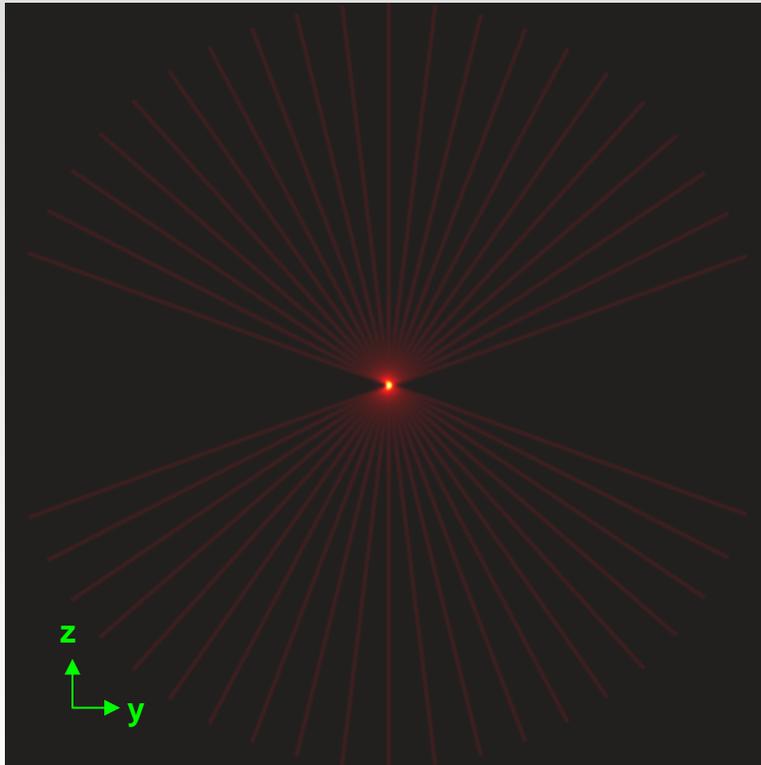


Focal & Tilt Series



Convolution Simulation: PSF

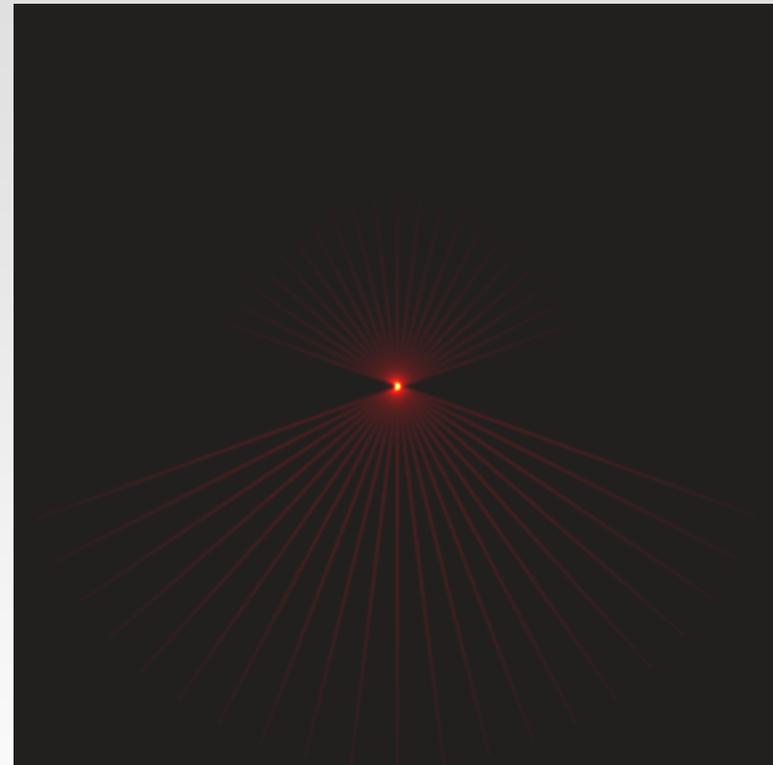
Tilt Series



Focal Series

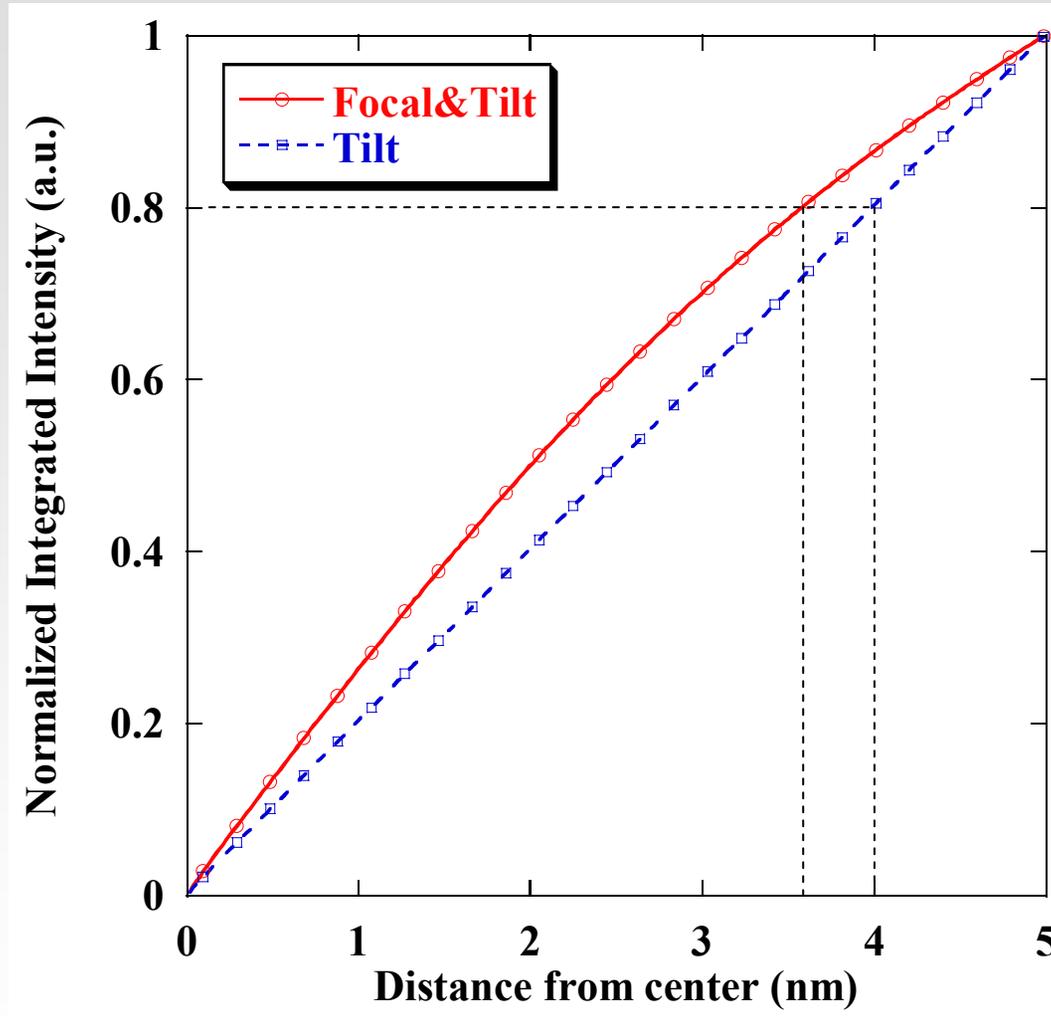


Focal & Tilt Series



200keV, $C_3 = -0.0842\text{mm}$, $C_5 = 100\text{mm}$, $f_0 = -132$, $\alpha = 29.1\text{mRad}$
 $\pm 70^\circ$ @ 7° increments

Spread of PSF Intensity

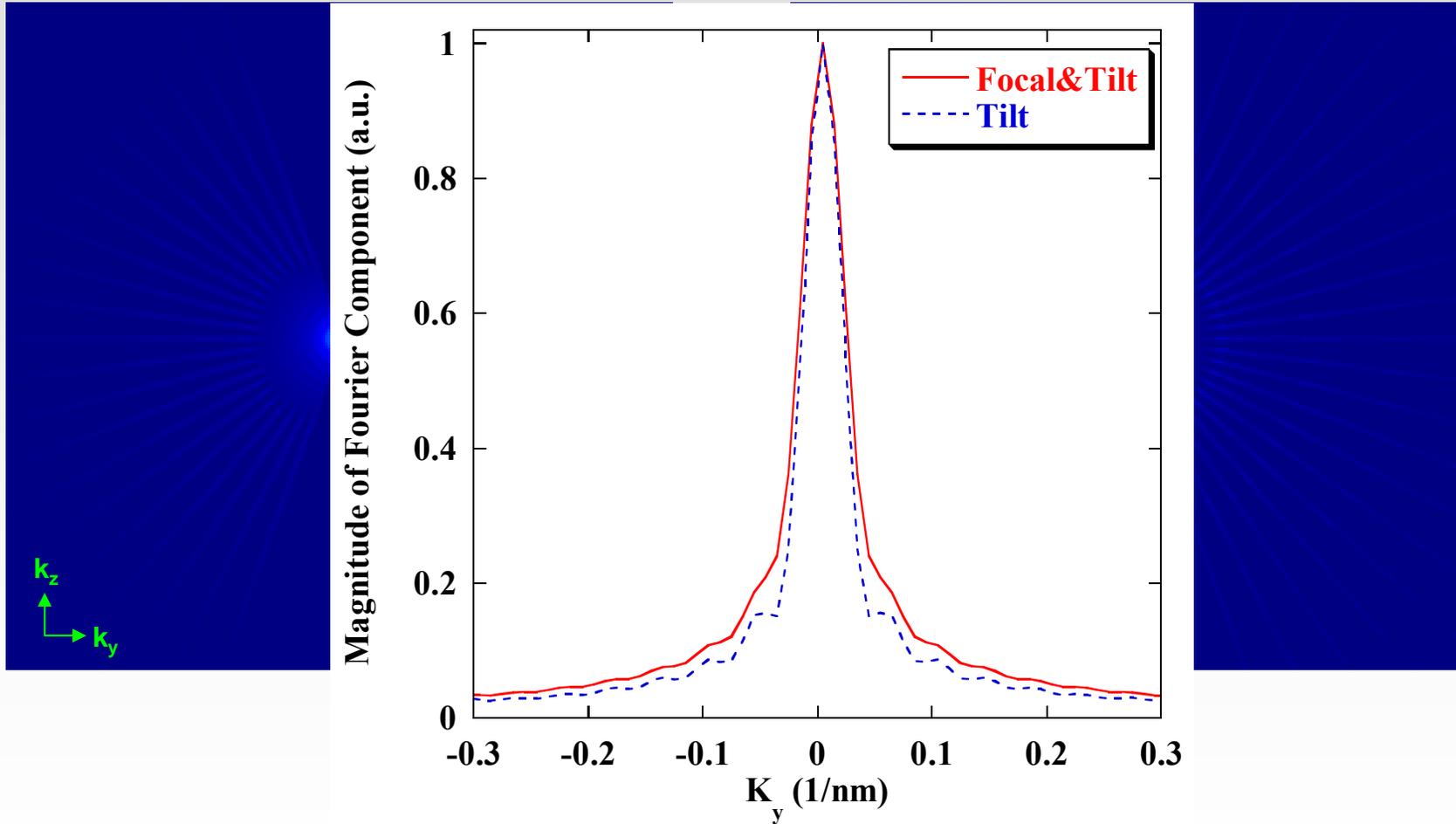


- Intensity is decentralized for both methods

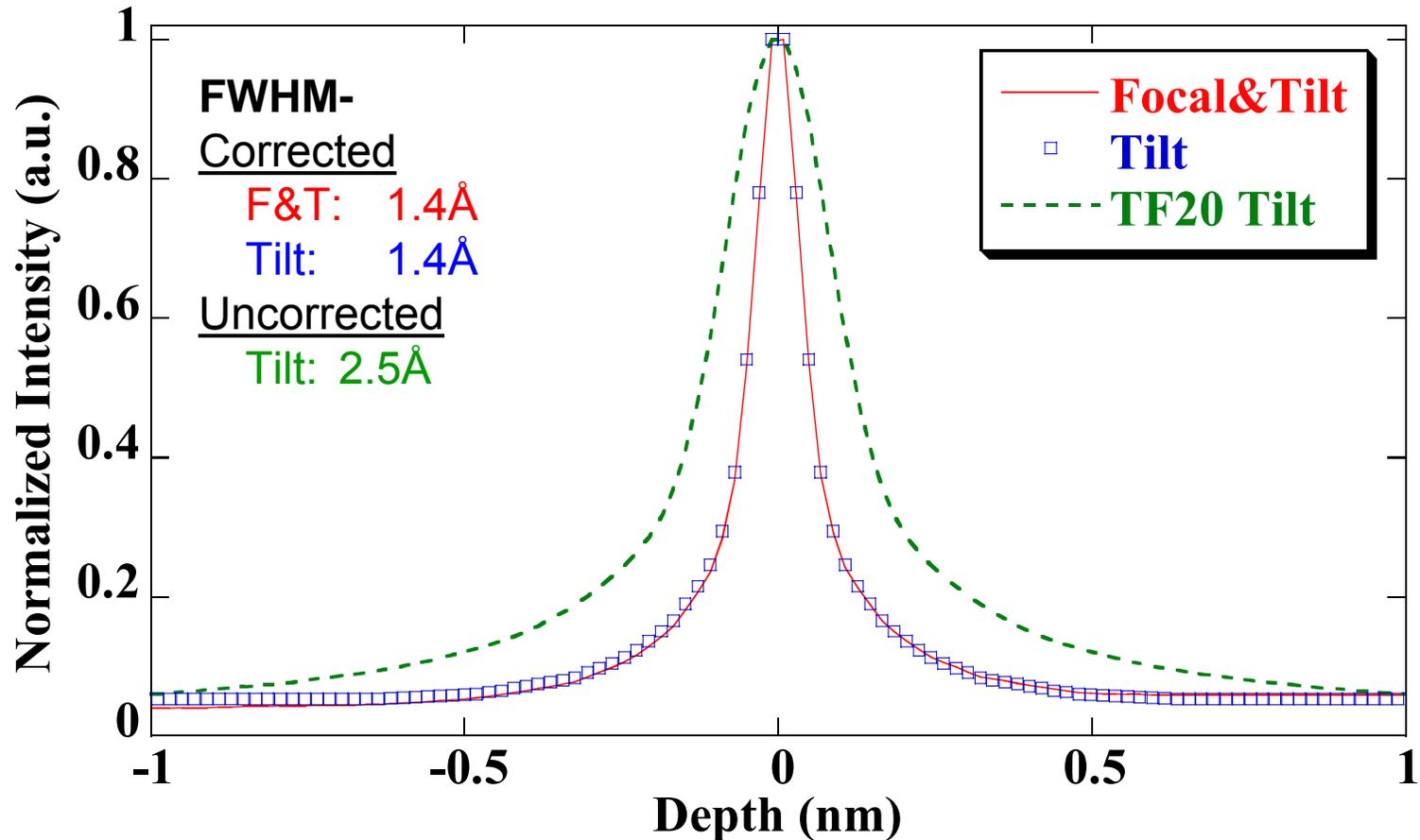
Convolution Simulation: CTF

Focal & Tilt Series

Tilt Series



Depth Resolution



- Depth information from focal series does not add to depth resolution
 - Tomography resolution: experiment is 1-2nm (Why!?)
 - Tomography yields 10x worse resolution in practice
- Alignment, stage movement (low mag)



Conclusions: Tomography & Correctors

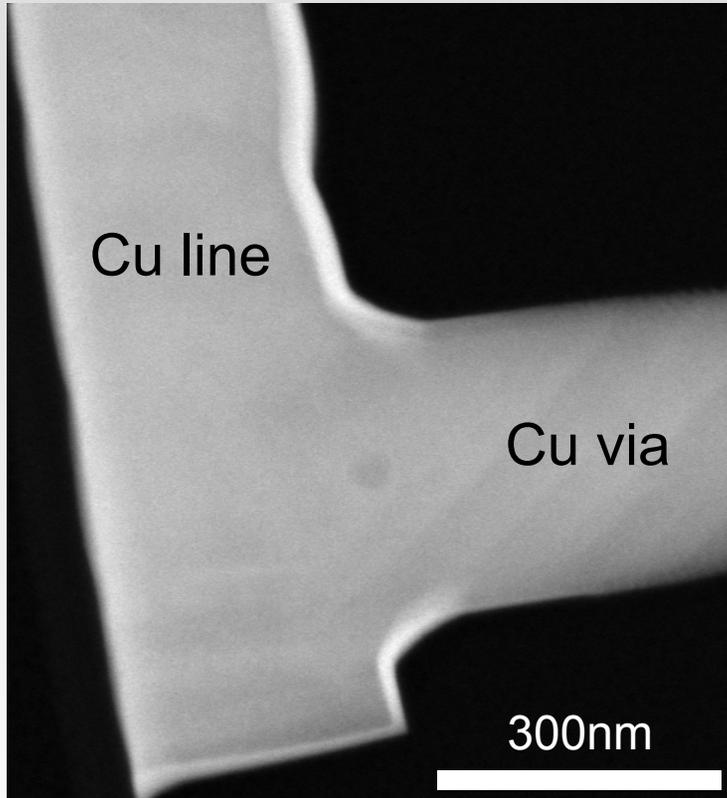
- **Electron Tomography**

- Quantitative measurements of 3D objects
- Incoherent Bright Field (IBF) STEM
 - high ρ^*Z and t

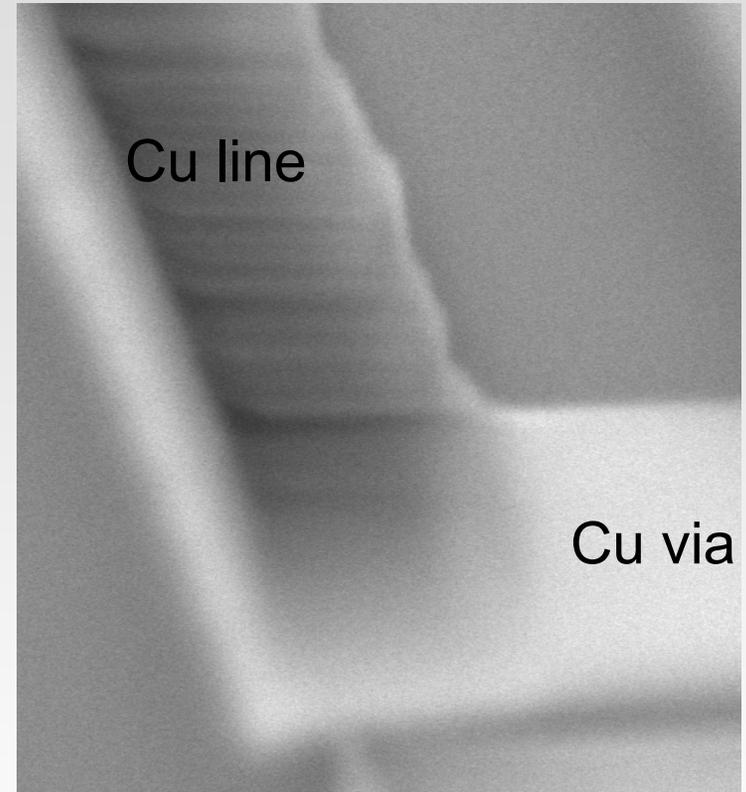
- **Impact of Correctors**

- Improved lateral and depth resolution
- Focal and Tilt series
 - necessary for corrected instruments
 - 3x fewer tilts needed → Faster!
- Resolution limits
 - No considerable increase in resolution predicted
 - Tilt stage quality, alignment, blurring

Contrast Reversal with Thickness

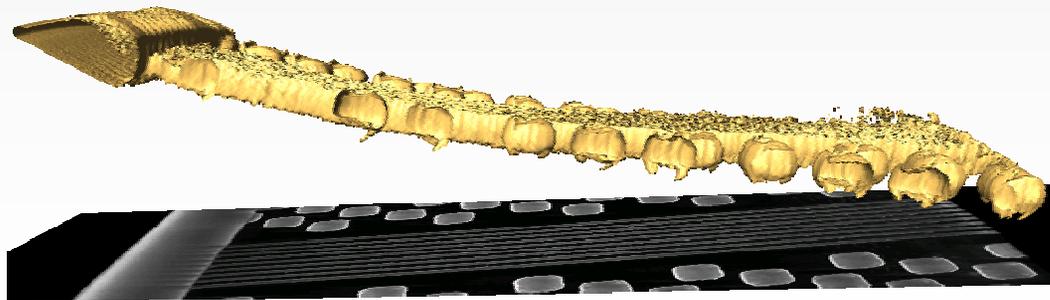
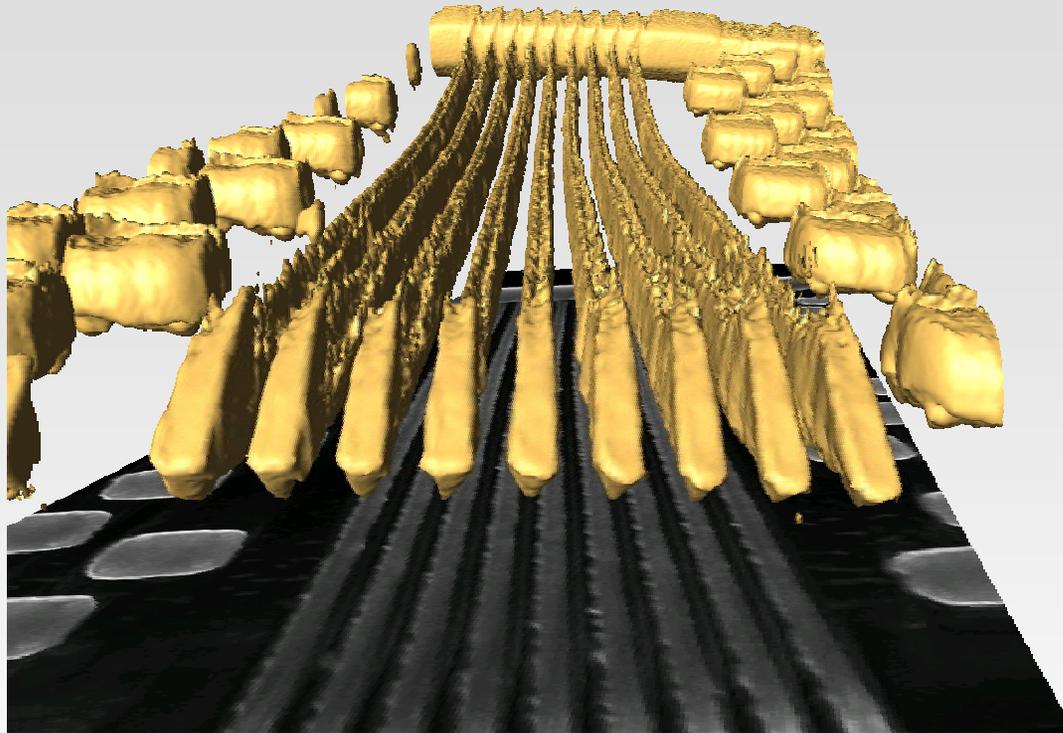


- HAADF STEM
- 0° tilt



- HAADF STEM
- 70° tilt

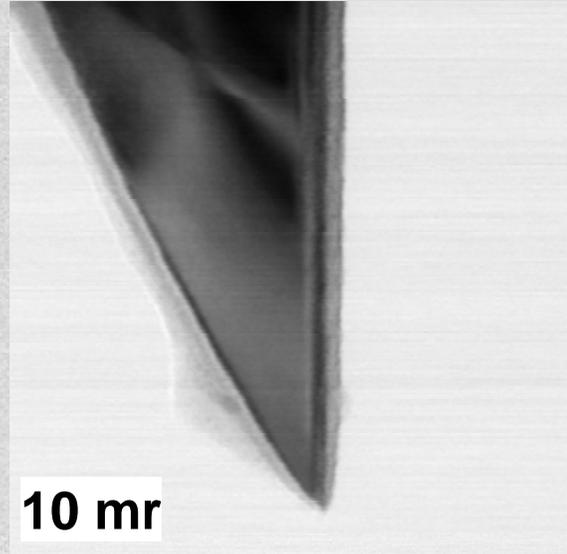
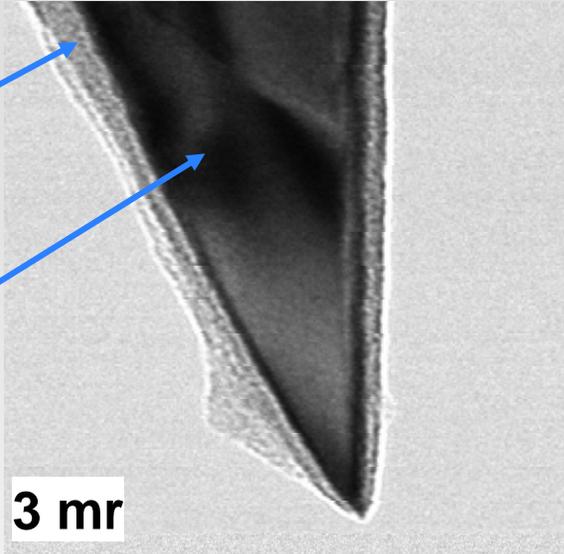
Cu lines: Planview



Increasing the Collector Angle (θ_c)

$$\theta_c \ll \theta_{obj}$$

- Phase contrast
- Diffraction contrast

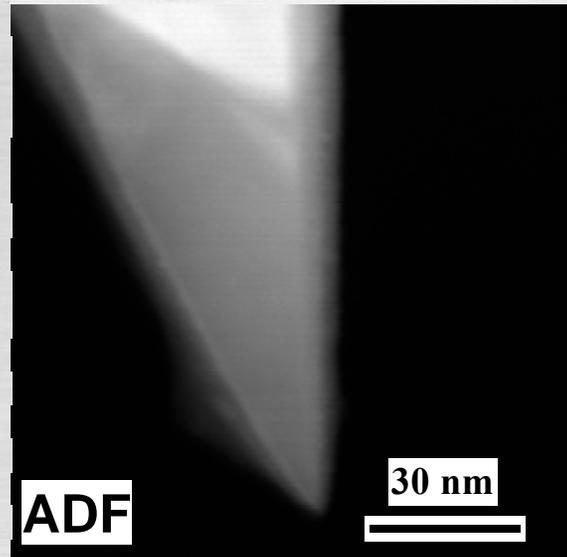
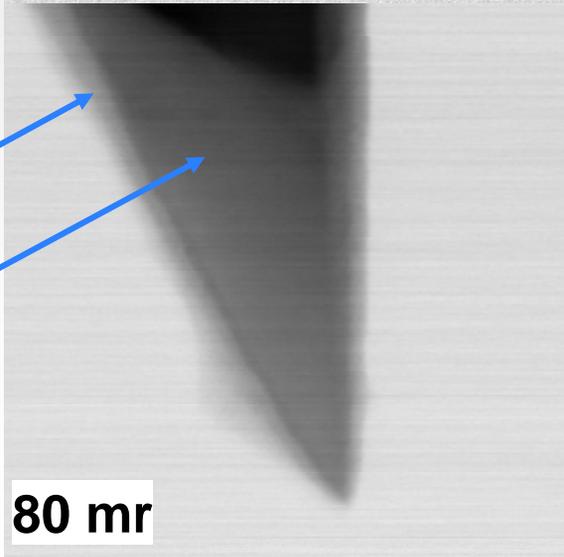


$$\theta_c \approx \theta_{obj}$$

- **No** Phase contrast
- Diffraction contrast

$$\theta_c \gg \theta_{obj}$$

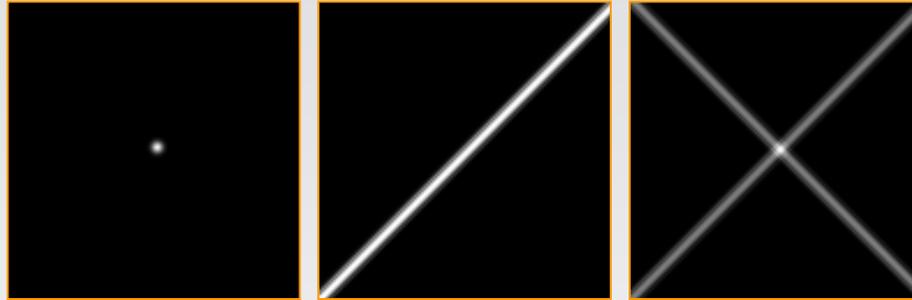
- **No** Phase contrast
- **No** Diffraction contrast



The incoherent BF image is the complement of the ADF image

Fourier Reconstruction

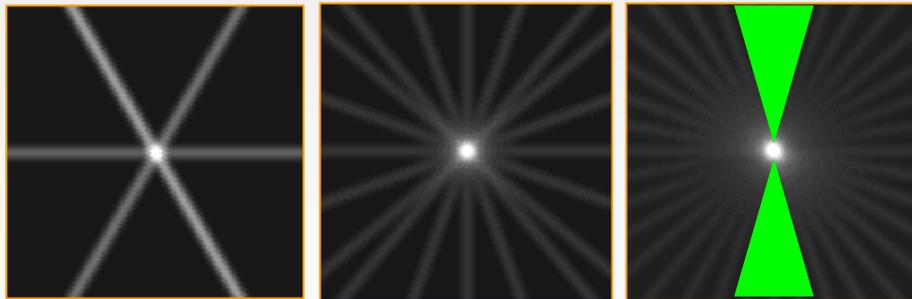
“A 2D projection of a object is equivalent to a 2D slice through the Fourier transform of that object at the angle of projection.”



Object

1 projection:
the 'ray-integral'

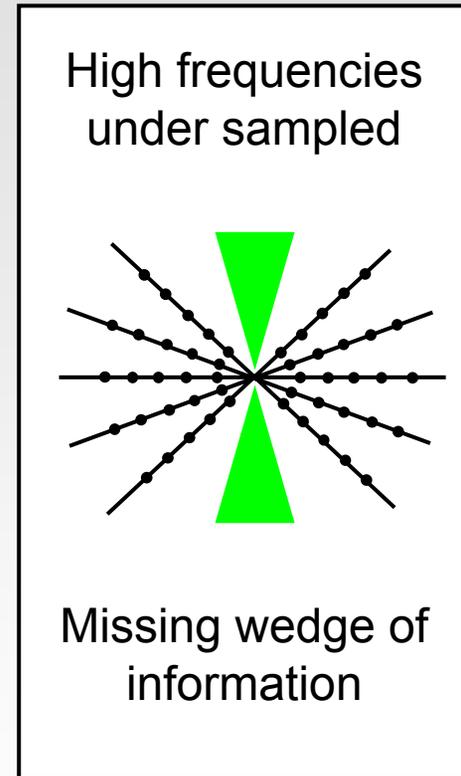
2 projections



3 projections

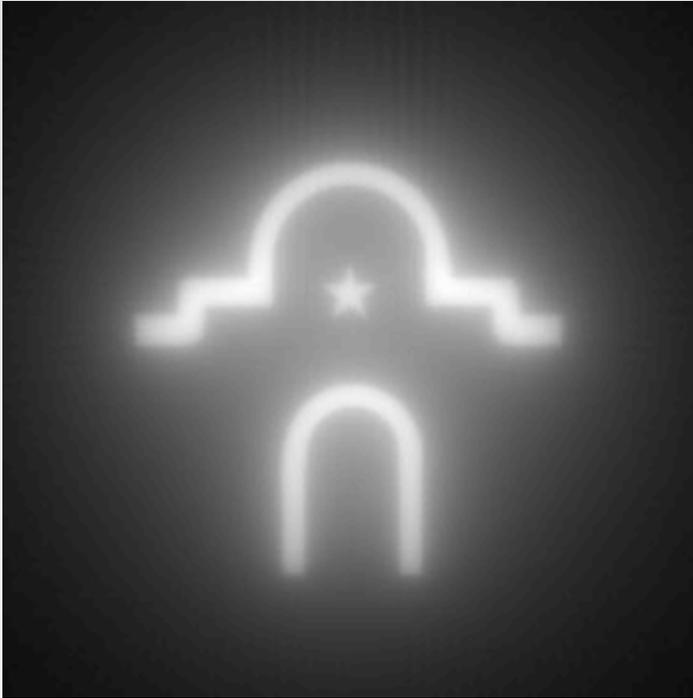
10 projections

32 projections



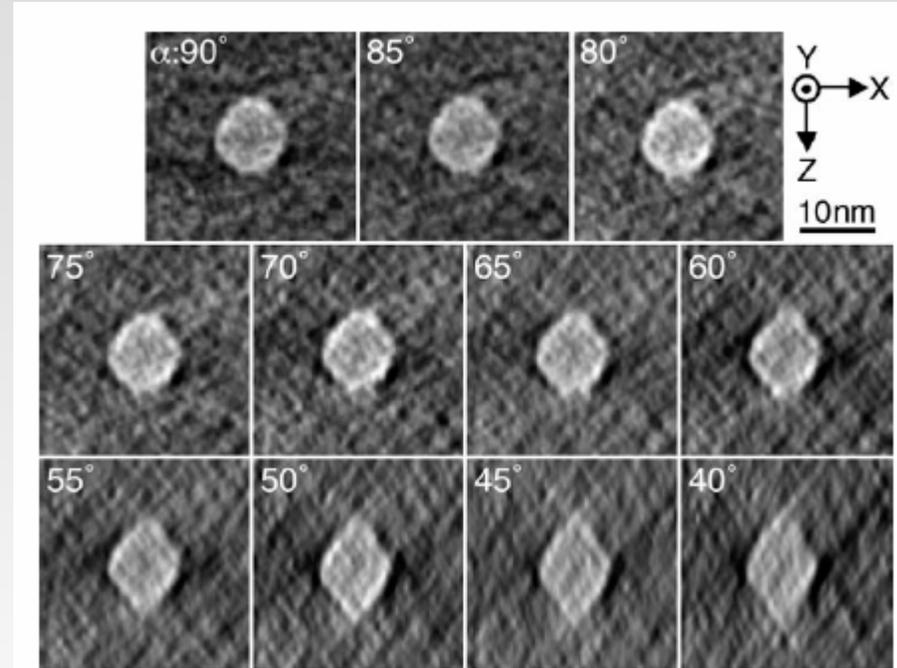
Weighted backprojection: Backprojection can be made more accurate by restoring the correct distribution of the spatial frequencies using a weighting filter.

Tomographic Reconstruction



Under sampling

Yields a blurred reconstruction



Missing wedge

Features perpendicular with the tilt axis are distorted

Z-contrast Simulation Method

PSF

$\delta(x, y, z)$

Focal Series

39 depth slices

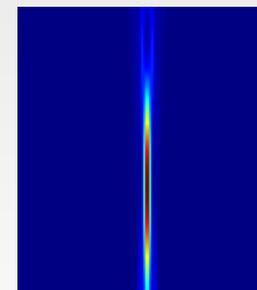
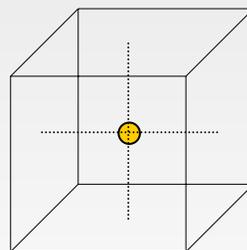
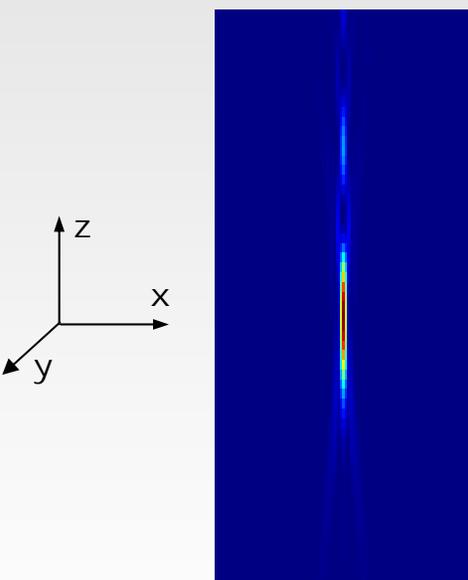
Depth: 5.1 Å/slice

Lateral: .2 Å/pixel

20 depth slices

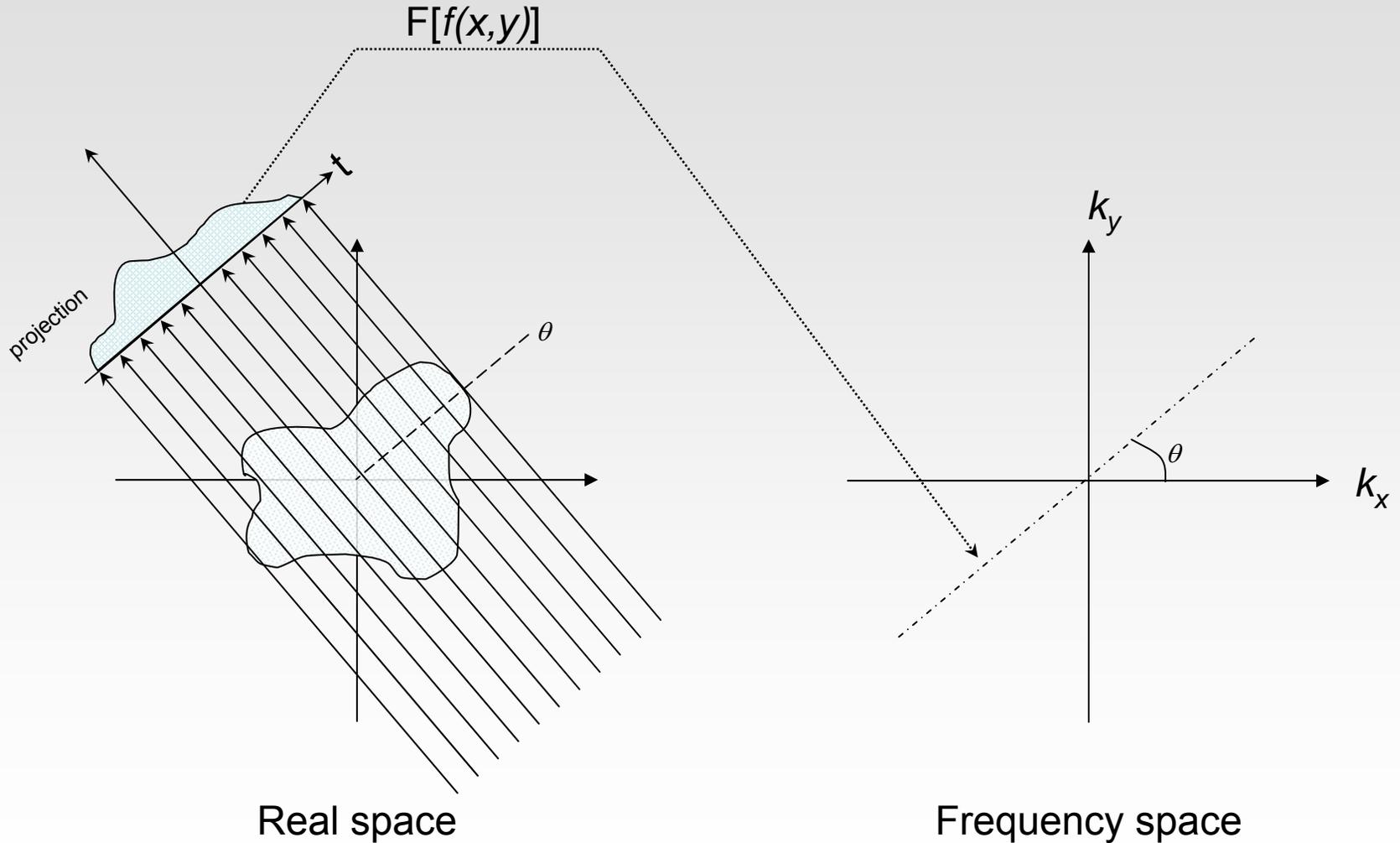
Δf : 5 Å

$(100\text{Å})^3$



3D incoherent Z-contrast STEM imaging simulation

Fourier Slice Theory



Aberration Correctors

- Lens aberrations create phase shifts for e-'s incident at different angles

$$\chi(\alpha) = \frac{2\pi}{\lambda} \left(-\frac{1}{2} \Delta f \alpha^2 + \frac{1}{4} C_3 \alpha^4 + \frac{1}{6} C_5 \alpha^6 + \frac{1}{8} C_7 \alpha^8 + \dots \right)$$

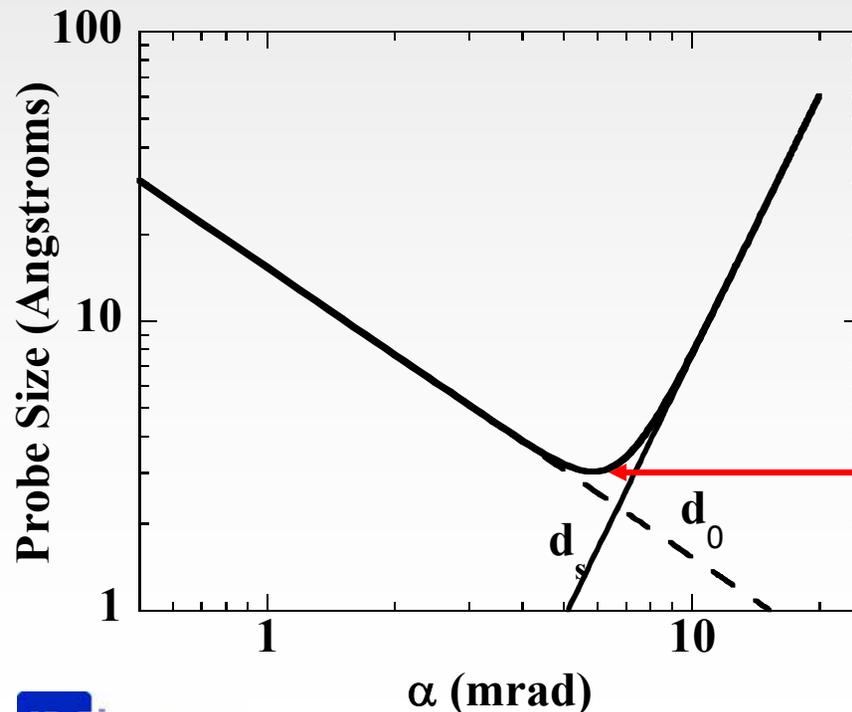
$$\chi_{\max} = \pi/2$$

- For given C-values...maximize α to maximize resolution
 - Including depth resolution Δz

$$\Delta z \propto \frac{1.22\lambda}{\alpha^2}$$

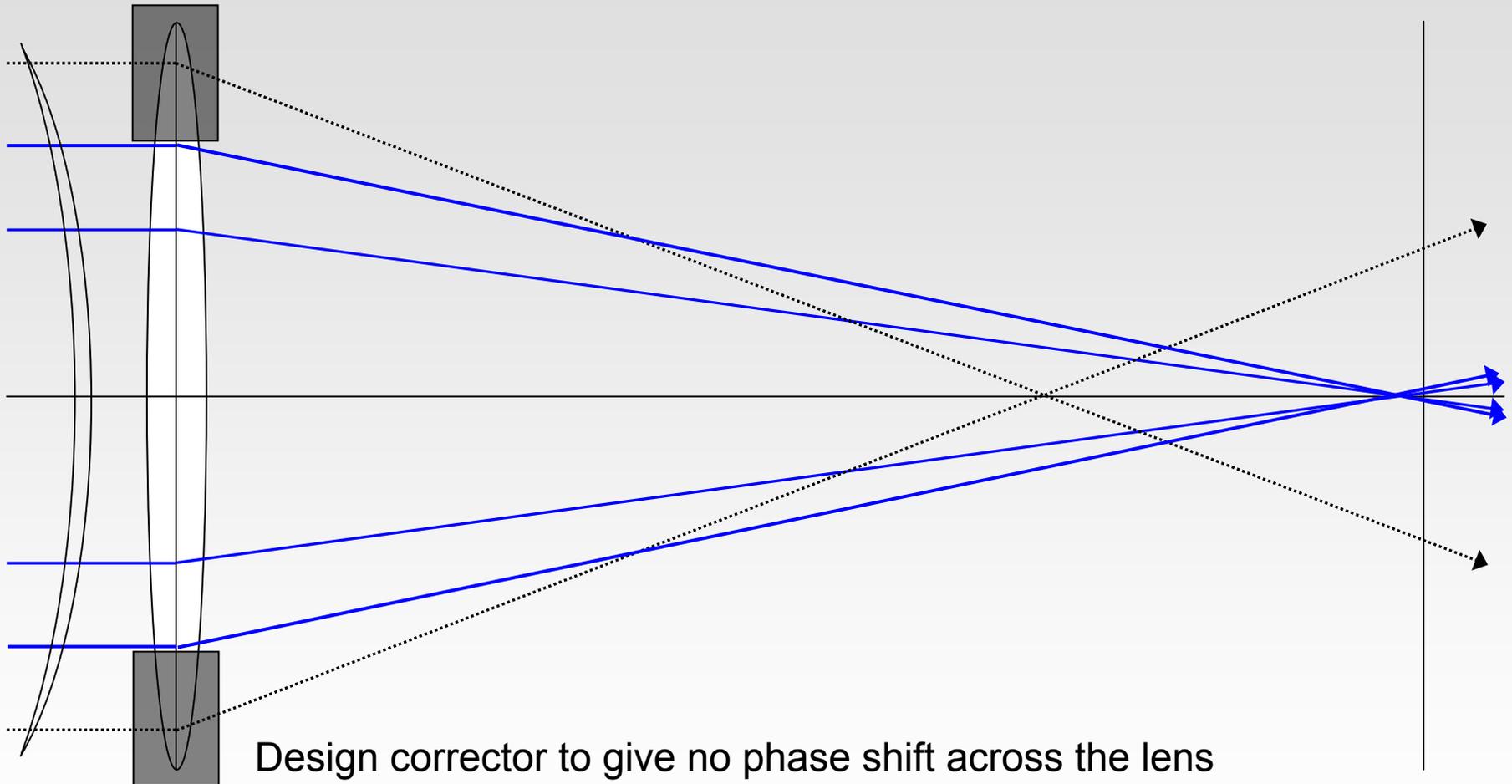
Balance Spherical Aberration Against Diffraction

- Balance spherical aberration against the aperture's diffraction limit
 - Less diffraction with a large aperture – must be balanced against C3
- For a rough estimate of the optimum aperture size, convolve blurring terms
 - Add in quadrature: $d_{tot}^2 \approx d_0^2 + d_s^2$



Optimal aperture
And minimum
Spot size

Electron Lens Aberration Correctors



Design corrector to give no phase shift across the lens

There are other higher order aberrations that limit resolution

Lens aberrations are a power series that does not converge

You can correct C3 but C5 limits you, correct C5 but C7 limits you, etc...